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(Release 7)
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Foreword

This Technical Specification has been produced by the 3rd Generation Partnership Project (3GPP).

The contents of the present document are subject to continuing work within the TSG and may change following formal TSG approval. Should the TSG modify the contents of the present document, it will be re-released by the TSG with an identifying change of release date and an increase in version number as follows:

Version x.y.z

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x the first digit:

1 presented to TSG for information;
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y the second digit is incremented for all changes of substance, i.e. technical enhancements, corrections, updates, etc.

z the third digit is incremented when editorial only changes have been incorporated in the document.
1 Scope

The present document describes the methods to be used in order to assess the radio performances of the 3G user equipment/mobile stations (UE/MS) in active mode in both the up- and the downlink. The test procedure is based on the test method developed as a result of COST 273 Sub-Working Group (SWG) 2.2 members’ contributions and the first draft was published in [1]. Background work has also been made in the former COST259 project [2] [3].

2 References

The following documents contain provisions which, through reference in this text, constitute provisions of the present document.

- References are either specific (identified by date of publication, edition number, version number, etc.) or non-specific.
- For a specific reference, subsequent revisions do not apply.
- For a non-specific reference, the latest version applies. In the case of a reference to a 3GPP document (including a GSM document), a non-specific reference implicitly refers to the latest version of that document in the same Release as the present document.


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[56] ETSI TR 102 273-1-1: "Electromagnetic compatibility and Radio spectrum Matters (ERM); Improvement on Radiated Methods of Measurement (using test site) and evaluation of the corresponding measurement uncertainties; Part 1: Uncertainties in the measurement of mobile radio equipment characteristics; Sub-part 1: Introduction".

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[61] 3GPP TS 05.05 V8.5.1: "Radio Transmission and Reception".

[62] 3GPP TS 11.10-1 V8.1.1: "Mobile station (MS) conformance specification; Part 1: Conformance specification".


[67] P-S. Kildal, K. Rosengren, J. Byun, J. Lee, "Definition of effective diversity gain and how to measure it in a reverberation chamber", Microwave and Optical Technology Letters, Vol. 34, No 1, pp. 56-59, July 5, 2002. (J. Byun and J. Lee is with Samsung, South Korea)


3 Symbols and Abbreviations

3.1 Symbols

For the purposes of the present document, the following symbols apply:

- $\theta$: Zenith angle in the spherical co-ordinate system
- $\phi$: Azimuth angle in the spherical co-ordinate system
- $\Omega$: Solid angle defined at the phase centre of the DUT
- $G_{\psi}(\theta,\phi,f)$: Antenna gain pattern in the $\psi$-polarization as function of the spherical co-ordinates and the carrier frequency
- $F$: Carrier frequency
- $P_r$: Transmitted power
- $Q_{\psi}(\theta,\phi,f)$: Angular power distribution in the $\psi$-polarization as function of the spherical co-ordinates and the carrier frequency
- dB: decibel
- dBm: dB referenced to one milliwatt
- m: meter
- mm: millimeter
- kbps: kilobit per second
- ms: millisecond
- MHz: megahertz

3.2 Abbreviations

For the purposes of the present document, the following abbreviations apply:

- 3G: 3<sup>rd</sup> Generation
- 3GPP: 3G Partnership Project
- 3-D: Three Dimensional
- AAU: Aalborg University
- APD: Angular Power Distribution
- BS: Base Station
- BT: Bluetooth
- CN: Core Network
- CPICH RSCP: Common Pilot Channel Received Signal Code Power
- CRC: Cyclic Redundancy Check
- DCH: Dedicated Channel
- DL: Downlink
- DPDCH: Dedicated Physical Data Channel
- DPCCH: Physical Control Channel
- DTCH: Dedicated Traffic Channel
- DUT: Device Under Test
- ETSI: European Telecommunications Standards Institute
- GPS: Global Positioning System
- HUT: Helsinki University of Technology
- MEG: Mean Effective Gain
- MERP: Mean Effective Radiated Power
- MERS: Mean Effective Radiated Sensitivity
- MS: Mobile Station
4 Introduction

The present document describes the methods to be used in order to assess the radio performances of the 3G user equipment/mobile stations (UE/MS) in active mode in both the up- and the downlink. The test procedure is based on the test method developed as a result of COST 273 Sub-Working Group (SWG) 2.2 members' contributions and the first draft was published in [1]. Background work has also been made in the former COST259 project [2] [3].

4.1 Scope

The measurement procedure explained in this document applies only to UE/MS used under the "speech mode" conditions that correspond to predefined positions (see Chapter 5) for voice application when the handset is held close to the user's head. This method is also applicable to free space measurements.

The testing methodology applies to any 3G handset, with internal or external antenna, that supports the speech mode. It is also applicable to the testing of dual-mode (GSM / UMTS) terminals. Specific technical details related to testing of GSM mode of the dual-mode terminals are addressed in Appendix D.

The radio tests considered here are:

1. The measurement of the radiated output power
2. The measurement of the radiated sensitivity

The test procedure described in this document measures the performance of the transmitter and the receiver, including the antenna and also the effects of the user.

The purpose of this document is to serve as a standard test procedure for radio performance testing of mobile terminals. It is the intention that this procedure is going to be used by test houses, network operators, mobile terminal and antenna manufacturers, research institutes etc. The motivation for the development of this document is the lack of standards in this area in 3GPP [4]. COST 273 SWG2.2 has reported the progress of the pre-standardization in several 3GPP RAN4 meetings [5] [6].

The major parts of this test procedure are based on the 3-D pattern measurement method. It has been considered necessary to define some items and components in the test procedure in detail, such as test channels and phantom set-ups, in order to make the testing in different laboratories harmonized. The procedure is, however, not limited to some specific antenna chambers or positioners, but just gives examples of systems that are presently available. Moreover, the pre-standard is open for the use of some alternative to the 3-D pattern measurement method, provided that the specified performance parameters and the total measurement uncertainty can be achieved with the alternative test method. In the first phase the pre-standard uses TRP (Total Radiated Power) and TRS (Total Radiated Sensitivity) as the performance parameters but it is also prepared for the use of Mean Effective Gain (MEG) (or Mean Effective Radiated Power.
3GPP and its corresponding parameter Mean Effective Radiated Sensitivity (MERS) for the receiver performance) as the preferred performance parameter in a later stage.

Note: TRP and TRS are well-defined measures for the handset transmitter and receiver performance in an isotropic field distribution with XPR = 1 (cross polarisation ratio), whereas MEG [7], [8] also gives the handset performance relative to a well-known reference and can take different values depending on the chosen field distribution including the XPR.

A Reverberation Chamber Method [9] [10] has been introduced in the pre-standard as an alternative test method for measuring total radiated power of the 3G UE ([11], [12] [13]). At the moment it has a limitation that it does not provide any possibility for the evaluation of MEG.

4.2 Future extensions

In this document the main emphasis is on the performance measurement of the 3G UE in the speech mode in talk position. The test procedure is, however, not limited to that but the future extension may include the testing of the UE in data transfer mode. Possible test set-ups can also be, for example, the so-called browsing position and/or body-mounted use position [14] [15].

Another possible future extension may be the testing of 3G UE, which would have a diversity-antenna system. In that case the performance evaluation is based on measuring each antenna separately and combining the results mathematically to yield the realized performance of the antenna system. Reverberation chambers have also shown potential in connection with diversity antenna testing in simulated fading environment, see Appendix E and [16].

The test procedure presented in this document can be applied also for the testing of possible non-cellular systems in the 3G UE, such as Bluetooth (BT), General Positioning System (GPS), or Wireless Local Area Networks (WLAN).

5 Initial Conditions

The main objective of this section is to define basic parameters of simulated user (phantom) and anechoic chamber suited for the Tx and Rx measurement of UMTS mobile handsets.

5.1 Phantom specifications

5.1.1 Head phantom

The Specific Anthropomorphic Mannequin (SAM) is used for radiated performance measurements. The phantom shape is derived from the size and dimensions of the 90-th percentile large adult male reported in an anthropometric study. It has also been adapted to represent the flattened ear of a wireless device user.

For DUT radiated performance measurements in "intended use" position SAM head phantom without a shoulder section will be used.

The shell of the SAM phantom should be made of low-loss material (loss tangent less than 0.05) with low permittivity (less than 5). The thickness has to be 2.0±0.2mm in the areas close to the handset in "intended use" position.

The phantom has to be filled with tissue simulating liquid. It is recommended to use one of the typical SAR tissue simulating liquids and Appendix B gives four example recipes of such liquids. It is also recommended to verify the RF properties of the liquid with suitable equipment. The values should be maintained within 15% of the values relative permittivity 40 (±15%) and sigma 1.4 (±15%) at 1900 MHz. If the difference is more than ±15%, it should be taken in to account in the uncertainty budget. Dielectric properties measurement methods can be found e.g. in [22] [23].

Alternatively a dry SAM phantom made of plastic material with corresponding electrical parameters can be used.

Note: Measurements have that the radiated performance of a terminal can be influenced by the hand presence. However, it is very difficult to develop a standardized hand phantom, which could allow pertinent and reproducible measurements. Therefore a phantom hand is not included in this test procedure.
5.1.2 DUT Positioning on head phantom

The DUT is attached to the SAM phantom in "cheek" position as defined both by IEEE [19] and CELENEC [20] standards. The DUT performance is measured on both left and right side of the head.

Three points as shown in Fig. 5.1 define the reference plane: center of the right ear piece (RE), center of the left ear piece (LE) and center of mouth (M).

At first, set the DUT ready for operation.

Definition of the 'Cheek' position:

1) Align the ear piece of the phone (see Fig. 5.1) at the line RE-LE. Then, position the DUT beside the phantom so that the vertical line (see Fig. 5.3) is parallel to the reference plane in Fig. 5.2 and is aligned with the line M-RE on the reference plane (see Fig. 5.3).

2) Position the DUT so that the ear piece of the DUT touches the ear piece of the phantom head on the line RE-LE. Tilt the DUT chassis towards the cheek of the phantom having the vertical line aligned with the reference plane until any point on the front side of the DUT is in contact with the cheek or until the contact with the ear is lost.

NOTE: A holder fixture made of e.g. plastic may be used to position the handset against the phantom. An experimental study presented in [25] shows that some plastic holders might introduce an unexpectedly large effect to the measurement results. Therefore, special care must be seen when selecting such fixtures for radiated measurements.

![Figure 5.1: Reference plane on head phantom, front view.](image1)

![Figure 5.2: Reference plane on head phantom, side view.](image2)
5.2 Anechoic chamber constraints

The main objective of this section is to define basic parameters of the anechoic chamber suited for the Tx and Rx measurement of UMTS mobile handsets.

The chamber should be equipped with an antenna positioner making possible to perform full 3-D measurements for both Tx and Rx radiated performance. Two main measurement set-ups are presented for this purpose:

a) A so-called spherical scanner system implies that the DUT is placed on a positioner that rotates in a horizontal plane. The probe antenna is rotated physically in the vertical plane. Alternatively, multiple probe antennas can be placed along an arch in the vertical plane and electronically switched in order to get the full 3-D radiation/sensitivity pattern (see Figure 7.1). Alternatively, a multiple probe system, which has a set of probes located on the full spherical surface, may also be used [26]. In this case, the DUT does not have to be rotated.

b) A so-called dual axis system implies that the DUT is placed on a positioner that is able to rotate around two different axes. The signal is transmitted/received by a fixed probe (see Figure 7.2). It is noted that many conventional two-axis systems (i.e., many commercially available systems built for a more general use) are built for the support of rather heavy test objects (with narrow antenna beam), which by their mechanical size may disturb the measurement of nearly omnidirectional antennas. Note that such systems are equipped with a positioner that may disturb the measurement of nearly omnidirectional antennas.

In both cases, the measurement antenna should be able to measure two orthogonal linear polarizations (typically theta ($\theta$) and phi ($\phi$) polarizations).

Note that for an anechoic chamber, horn antennas are usually used as probe antennas. There are two kinds of horn antennas: single-polarized and dual-polarized. The dual-polarized horn antenna has advantages of a major importance in comparison with the single-polarized. In fact, it is possible to measure two orthogonal polarizations without any movement of the probe, and this will:

a) Reduce the cable antenna uncertainty contribution

b) Improve the measurement stability

c) Reduce the time delay between the acquisitions of each polarized signal due to the electrical RF relay.

If using single-polarized probe antenna, it is possible to perform the measurements by turning one linear polarized antenna by $90^\circ$ for every measurement point. However, this technique has a major drawback: the cable of this antenna is subjected to numerous bendings and rotations, which brings some measurement instabilities. The various positions of the cable have an effect on the repeatability of measurements, and the stress applied to the cable can reduce its performance. The use of a "stress cable", or a rotary joint, connected to the main low-loss cable that is connected to the BTS simulator is recommended if using a single-polarized probe.

5.2.1 Quiet zone dimension

Quiet zone has to be large enough to contain DUT attached to a phantom head and shoulders. The dimensions have to be slightly larger than the phantom dimension due to the fact that the rotation axes are not passing through the
symmetry plane of the phantom, but through the phase center of the DUT. Thus minimum radius of the quiet zone has to be 150mm, which is the approximate distance from a mobile phone to the edge of the head and shoulders phantom while the phone is placed in an "intended use" position.

5.2.2 Minimum distance between the DUT and the measurement antenna

For far-field measurements, the distance \( r \) between the DUT and the measurement antenna should be

\[
r > \max \left( \frac{2D^3}{\lambda}, 3D, 3\lambda \right)
\]

(5.1)

where \( \lambda \) is the largest wavelength within the frequency band of interest and \( D \) the maximum extension of the radiating structure. Then the phase- and amplitude uncertainty limits and the reactive near field limit are not exceeded. The influence of measurement distance is discussed in Appendix A - Estimation of Measurement Uncertainty.

5.2.3 Reflectivity of the quiet zone

Reflectivity of the quiet zone must be measured for frequencies used with method described in Appendix F. Measured reflectivity level is used in uncertainty calculations.

5.2.4 Shielding effectiveness of the chamber

In order to be able to measure sensitivity all external radiation has to be eliminated. Depending on the conditions at the test site in question, different values of shielding effectiveness of the measurement chamber might be required. The only general requirement on the shielding effectiveness of the chamber is that the measured level of external signals at the frequency of interest (UMTS frequency band) has to be 10dB below sensitivity level of the mobile equipment. See Appendix F for more details on shielding effectiveness validation.

When specified in a test, the manufacturer shall declare the nominal value of a parameter, or whether an option is supported.

6 Measurement parameters

6.1 Definition of the Total Radiated Power (TRP)

The Total Radiated Power (TRP) is a measure of how much power the antenna actually radiates, when non-idealities such as mismatch and losses in the antenna are taken into account. The TRP is defined as the integral of the power transmitted in different directions over the entire radiation sphere:

\[
P_{\text{TRP}} = \frac{1}{4\pi} \int \left( P_{\text{trans}}(\Omega; \psi) + P_{\text{trans}}(\Omega; \phi) \right) d\Omega
\]

(6.1)

Using \( \psi \) to denote either \( \theta \) or \( \phi \), \( G_\psi(\Omega; \psi) \) is the \( \psi \)-polarization component of the gain pattern for the handset antenna measured at the frequency \( f \), where \( \Omega \) is the solid angle describing the direction. \( P_{\text{trans}} \) is the transmit power level of the handset so that \( P_{\text{trans}} G_\psi(\Omega; \psi) \) is the actually transmitted power-level, also known as EIRP, in the \( \psi \)-polarization and in the direction \( \Omega \) for frequency \( f \).

The above equation may be written in "gain" form, that is, the TRP given by \( P_{\text{TRP}} \) is normalized to the transmitted power \( P_{\text{trans}} \). This is the total radiation efficiency, which can also be denoted as Total Radiated Power Gain, TRPG,

\[
\Gamma_{\text{TRP}} = \frac{1}{4\pi} \int \left( G_\psi(\Omega; \psi) + G_\phi(\Omega; \phi) \right) d\Omega
\]

(6.2)

Expressing the TRP by this form allows a simpler understanding of concept of the Mean Effective Gain (MEG) that will be introduced below.
In practice discrete samples of $P_{\alpha} G_{\psi}(\Omega; f)$ are measured and used to approximate the integral so that the TRP is computed as

$$P_{\text{TRP}} = \frac{\Delta_\psi \Delta_\theta}{4\pi} \sum_{n=0}^{N-1} \sum_{m=0}^{M-1} \left[ P_{\alpha} G_{\psi}(\theta_n, \varphi_m; f) + P_{\alpha} G_{\phi}(\theta_n, \varphi_m; f) \right] \sin(\theta_n) \quad (6.3)$$

Or, by using the relation $EIRP = P_{\alpha} G$

$$P_{\text{TRP}}(f) = \frac{\Delta_\psi \Delta_\theta}{4\pi} \sum_{n=0}^{N-1} \sum_{m=0}^{M-1} \left[ EIRP_{\psi}(\theta_n, \varphi_m; f) + EIRP_{\phi}(\theta_n, \varphi_m; f) \right] \sin(\theta_n) \quad (6.4)$$

In gain form the TRP can be expressed as:

$$\Gamma_{\text{TRP}} = \frac{\Delta_\psi \Delta_\theta}{4\pi} \sum_{n=0}^{N-1} \sum_{m=0}^{M-1} \left[ G_{\psi}(\theta_n, \varphi_m; f) + G_{\phi}(\theta_n, \varphi_m; f) \right] \sin(\theta_n) \quad (6.5)$$

In these formulas $\Delta_\theta = \pi / N$ and $\Delta_\phi = 2\pi / M$ are the sampling intervals for the $\theta$- and $\phi$-angles, respectively, and the number of samples in the $\theta$- and $\phi$-angles are given by $N$ and $M$, respectively. The sampling points of the sphere are given by $\theta_n = n\Delta_\theta$ and $\varphi_m = m\Delta_\phi$. The sampling intervals are discussed further in Section 6.6.

When measuring power radiated by active devices, expressing the data in terms of EIRP is more appropriate. The upper form of the TRP formulas (which includes EIRP terms) will be used in the data processing.

### 6.2 Definition of the Mean Effective Gain (MEG)

The Mean Effective Gain (MEG) is the ratio of the actually received mean power by a User Equipment/Mobile Station antenna (or the NB/BS by reciprocity) to the mean power received from two hypothetical isotropic antennas in the same UE/MS environment and matched to the $\theta$- and $\phi$-polarizations, respectively. As detailed in [7]&[8], the MEG may be obtained using a surface integration,

$$\Gamma(f) = \frac{\int (G_\psi(\Psi; f) Q_\psi(\Omega; f) + G_\phi(\Phi; f) Q_\phi(\Omega; f)) d\Omega}{\int (Q_\psi(\Omega; f) + Q_\phi(\Omega; f)) d\Omega} \quad (6.6)$$

Using $\psi$ to denote either $\theta$ or $\phi$, $G_{\psi}(\Omega; f)$ is the $\psi$-polarization component of the gain pattern for the handset antenna measured at the frequency $f$, where $\Omega$ is the solid angle describing the direction.

The term $Q_{\psi}(\Omega; f)$ denotes the average power received by the UE/MS in the direction $\Omega$, in the $\psi$-polarization and for the frequency $f$, in other words, $Q_{\psi}(\Omega; f)$ is the Power Angular Distribution (PAD) of the received signal at different Angle of Arrivals/Departures (AoA/AoD) at the UE/MS. Typically $Q_{\psi}(\Omega; f)$ is a model derived from measurements. Since the MEG is a ratio of power values only the cross polarization ratio (XPR) of the channel (observe that this parameter is in general a function of the carrier frequency, $\text{XPR}(f) = \int Q_{\psi}(\Omega; f) d\Omega / \int Q_{\phi}(\Omega; f) d\Omega$) and the distribution of power versus direction for each frequency is important in the model. However, in practice the average XPR will remain almost constant for each frequency band in question.

Note: It should be noticed that in order to arrive to the definition of MEG given by expression (6.6) it has been assumed that there is no correlation between two cross-polarized components arriving/departing along the same direction. Hence, it is assumed that the cross-polarization state of the channel including the antenna may be obtained by the XPR.

### 6.3 Power angular models and channel XPR

The following are some examples of models that do not include frequency dependence,
1) HUT: the model is based on numerous measurements in the city of Helsinki, Finland [27]. This model is uniform versus azimuth angle but non-uniform in the elevation angle. The XPR for this model is 10.7 dB. The NB/BS antenna was vertically polarized.

2) AAU: the model is based on numerous outdoor to indoor measurements in the city of Aalborg, Denmark [28]. This model is non-uniform versus both azimuth and elevation angle, and has an XPR of 5.5dB. The NB/BS antenna was vertically polarized.

3) Isotropic: the isotropic model implies equal weighting of power versus direction in both polarizations and using an XPR of 0 dB. It is important to notice that if this model is applied, the MEG will always be 3 dB lower than the TRPG.

The models listed above are examples of existing models. Currently, a spatial channel model (SCM) has been devised by the combined 3GPP-3GPP2 ad-hoc group [29]. In that model a Power Angular Distribution at the UE/MS was defined that is in shape similar to the HUT model.

![Figure 6.1: Angular elevation power density functions (θ-polarisation) of measured data (urban macrocell), and of Double Exponential and Gaussian distributions [27].](image)

These are some models for the environment's angle of arrival probability elevation distributions [7] [27] (the angles here are given in degrees):

1) Gaussian distribution:

\[
p(\theta) = A_1 \exp \left( -\frac{\left( \theta - (90 - \theta_0) \right)^2}{2\sigma^2} \right), \quad \theta \in [0,180] 
\]

(6.7)

2) Double Exponential distribution:

\[
p(\theta) = \begin{cases} 
A_1 \exp \left( -\frac{\sqrt{2}\left| \theta - (90 - \theta_0) \right|}{\sigma_1} \right), & \theta \in [0,90 - \theta_0] \\
A_2 \exp \left( -\frac{\sqrt{2}\left| \theta - (90 - \theta_0) \right|}{\sigma_2} \right), & \theta \in [90 - \theta_0,180]
\end{cases}
\]

(6.8)

It should be noted that the MEG depends on the orientation of the handset with respect to the environment, because neither the PAD nor the antenna gain pattern are uniform. Both the HUT and AAU models consider this effect because these models are non-uniform in one or both of the azimuth and elevation angles. Therefore, the MEG generally needs
to be computed for different handset orientations. In some cases different orientations of the handset may be obtained numerically from a single measurement, but more than one measurement of the gain pattern is necessary when the user of the terminal is included and different relative positions of the terminal next to the user are considered.

As for the TRP the MEG in practice has to be computed using discrete samples of the antenna gain patterns using the expression

$$\Gamma(f) = \frac{\sum_{n=0}^{N-1} \sum_{m=0}^{M-1} \left[ G_{\delta}(\theta_n, \varphi_m; f) Q_{\psi}(\theta_n, \varphi_m; f) + G_{\varphi}(\theta_n, \varphi_m; f) Q_{\delta}(\theta_n, \varphi_m; f) \right] \sin(\theta_n)}{\sum_{n=0}^{N-1} \sum_{m=0}^{M-1} \left[ Q_{\delta}(\theta_n, \varphi_m; f) + Q_{\varphi}(\theta_n, \varphi_m; f) \right] \sin(\theta_n)}$$

(6.9)

where the sample points of the sphere are given in terms of $\theta_n = n\Delta_\theta$ and $\varphi_m = m\Delta_\varphi$ in which $\Delta_\theta = \pi / (N)$ and $\Delta_\varphi = 2\pi / M$ are the sampling intervals for the $\theta$- and $\varphi$-angles, respectively.

The number of samples in the $\theta$- and $\varphi$-angles are given by $N$ and $M$, respectively.

### 6.4 Definition of Mean Effective Radiated Power (MERP)

When the MEG formula is applied to the active mobile terminals, it is convenient to modify the expression (6.6) to include the EIRP rather than just gain. This is done by introducing the definition of Mean Effective Radiated Power (MERP). In MERP we substitute the gain with EIRP. Note that due to the reciprocity, we can apply the MEG/MERP concept in both the downlink and uplink cases.

### 6.5 Definition of Total Radiated Sensitivity (TRS)

The Total Radiated Sensitivity is defined as:

$$TRS = \frac{4\pi}{ \int \left[ \frac{1}{EIS_{\delta}(\Omega, f)} + \frac{1}{EIS_{\varphi}(\Omega, f)} \right] d\Omega}$$

(6.10)

where the effective isotropic sensitivity ($EIS$) is defined as the power available at the antenna output such as the sensitivity threshold is achieved for each polarization.

### 6.6 Definition of Mean Effective Radiated Sensitivity (MERS)

The MEG formula (or more correctly the MERP) can be applied to the sensitivity measurements of active mobile terminals by modifying the formula into following form, which we call as Mean Effective Radiated Sensitivity, [30]:

$$MERS = \frac{\int \left[ Q_{\delta}(\Omega, f) + Q_{\varphi}(\Omega, f) \right] d\Omega}{ \int \left[ \frac{1}{EIS_{\delta}(\Omega, f)} + \frac{1}{EIS_{\varphi}(\Omega, f)} \right] d\Omega}$$

(6.11)

As in the case of MEG/MERP, MERS needs the antenna pattern measurements to be performed before its value can be determined.

Note: At this stage the interrelation between the TRP and MERP as well as the impact of the channel XPR on the antenna performance have been addressed (see [31], [32], [33] for reference). However, this topic needs further investigation in order to be included in a future stage.

Note: The impact of the MS/UE antenna performance on the UMTS capacity and and coverage in the downlink have been addressed in [34], [35].
6.7 Sampling grid

There is a trade-off between the accuracy of the approximated TRP, MEG/MERP, TRS and MERS values and the total measurement time required to obtain a complete 3-D gain pattern of the antenna. It is important to limit the total measurement time since the handsets must be battery powered during the measurements.

Generally it can be said that since the radiating object has a limited size the gain pattern cannot change arbitrarily versus angle, and therefore only a limited number of samples are required to represent the gain pattern to a given accuracy. Furthermore, it can be expected that the sampling density can be smaller for integral parameters (TRP, MEG/MERP, TRS and MERS) computations compared to what is required to represent the gain pattern, since the TRP/MEG are computed using an integration of the gain pattern. On the other hand it is expected that the obtained accuracy will strongly depend on the APD model used in the computation of MEG/MERP.

In [36] typical error values have been calculated from practical gain pattern measurements of different mobile handsets using different sampling densities. A related study is presented in [37]. It is concluded that a 15°-sample grid in both azimuth and elevation is sufficient for accurate measurements.

Alternatively, different sampling patterns can be used, if they can provide benefit in terms of measurement time. For example, sampling the sphere on a continuous spiral trajectory with constant speed of rotation in elevation and azimuth can be a very convenient option for TRP measurements. Since the rotation around both axes is continuous, the total time required by the measurement can be significantly shorter than for a regular sampling grid. The continuous movement does not introduce a significant error provided that the transmitted power for each angle is recorded on a time scale much shorter than the angular variation. The TRP can be calculated by interpolating the values on the spiral trajectory to points on the regular grid or by using an alternative quadrature formula. As first order approximation the simple summation over the measurement points is adequate. It is convenient, in practice, to synchronize the azimuth and elevation rotation speed so that the DUT makes an integer number of complete revolutions, while the elevation changes from 0° to 180°. The number of complete revolutions defines the sampling interval in elevation and the overall number of measurement points.

6.8 Measurement frequencies

The radiation patterns of handset antennas can be expected to be frequency dependent, both in the maximum level and, to smaller extent, in the shape of the pattern. This is due mainly to the antenna matching circuits, which are typically frequency selective. The radiating current on the antenna itself will to some degree depend on the frequency. Given this, the TRP, MEG/MERP, TRS and MERS should be evaluated at all relevant frequencies, which, in principle, would require measurements of the spherical radiation patterns for each of those frequencies. However, due to practical reasons, such exhaustive measurements are not realizable. As a consequence, a few most relevant frequency points shall be selected in each considered band.

As reported in [38] measurements have been performed at the center and at the two edge channels of the GSM-1800 band for five different types of handsets. It was found that the TRP for the edge channels differed up to 1.1 dB from the TRP of the center channel. Accordingly, the maximum deviation for the obtained MEG values was up to 1.7 dB. This shows that the TRP and MEG values obtained from a single-frequency gain pattern measurement of an antenna may lead to unacceptable high errors at other frequencies within the band, if one extrapolates those results to the TRP at other frequencies. Hence, the gain pattern must be measured at more than one channel.

For practical purposes, 3 channels Tx and 3 channels Rx per band are used in the measurements, i.e.: low, mid and high channels.

7 Measurement procedure – transmitter performance

This section describes the specifics of the radiated power measurement procedure.

7.1 General measurement arrangements

A radio communications tester or a corresponding device is used as a NB/BS simulator to setup calls to the DUT. The NB/BS simulator may also measure the radiated power samples. Alternatively, a measurement receiver or spectrum analyzer may be used for that purpose. See Chapter 9 and Appendix D for a more detailed description of the NB/BS simulator or spectrum analyzer in UMTS and 2G systems.
The measurements are performed so that the DUT is placed against a SAM phantom. The characteristics of the SAM phantom are specified in Section 2. The measurement of the DUT is performed both on the left and right ears of the SAM phantom. The center of the rotation should be at the ear reference point of the SAM head.

The measurements will be performed for the different antenna configurations of the DUT. For example in the case of a retractable antenna, for both antenna extended and retracted configurations. In future, more specific test configurations for each major type of terminals may be added in this part.

7.2 Procedure for spherical scanning ranges

The measurement procedure is based on the measurement of the spherical radiation pattern of the Device Under Test (DUT). The power radiated by the DUT is sampled in far field in a group of points located on a spherical surface enclosing the DUT. The samples are taken using a constant sample step of 15° both in theta (θ) and phi (ϕ) directions. In some cases a different sampling grid can be used to speed up the measurements (See Section 6.6). All the samples are taken with two orthogonal linear polarizations, θ- and ϕ-polarisations. It is also possible to measure some other polarisation components, if it is possible to recover θ- and ϕ-polarisations from the measured data by some technique. The TRP, TRS, MEG/MERP and MERS are calculated from the measured data by integration (see definitions from Chapter 6).

In the measurement the DUT is located in the center of the spherical surface. Examples of antenna pattern measurement systems are presented in Figure 7.1 and 7.2.

One of the most common systems is the dual-axis positioner system, which is also known as a roll-over azimuth positioner. In this system the DUT is rotated around two axes and the probe antenna that measures the samples of the power radiated by the DUT, remains fixed. In the transmitter case, the probe antenna measures the power radiated by the DUT sampled at different angles. In the receiver case, the probe antenna measure angular samples of the dedicated channel signal containing the information needed by the NB/BS simulator to extract the DUT receiver performances. Typically, in the dual-axes positioner system, the DUT is rotated to a given azimuthal angle position. For this angle, the DUT is then rotated in the elevation plane, thus giving a complete measurement in constant plane. Then the DUT is moved to the next azimuthal angle, and so on.

In spherical scanning systems the DUT is rotated in azimuthal plane and the probe antenna is moved in semicircular (or almost a fully circular) trajectory. The probe moves on an arch, or is moved by a rotating arm on the trajectory. The spherical scanning system can also be based on multiple probes, in which case the scanning in elevation direction is performed electrically. A multi-probe system having a number of probes on the full spherical surface can also be used, in which case the DUT can remain stationary [26]. Typically in the spherical scanning system the probe antenna is moved to fixed elevation angle position, in which the DUT is rotated in the azimuthal plane. Then the probe antenna is moved to the next elevation angle, in which the rotation of the DUT in azimuth plane is repeated, and so on.

In both systems, it is possible to use a dual-polarised probe antenna or a single polarised probe antenna rotated by a polarisation positioner. The measurement system may use a dual-polarised probe antenna for taking the data with two polarizations, or the system may use a polarisation positioner. The systems and rotation sequences shown are examples of existing systems. Other rotation schemes and positioner are as well acceptable, as long as they produce the far field radiation pattern data with similar properties as the systems presented here. In all cases the data is post-processed by a similar calculation method. The standard spherical coordinate system used in the presentation of the radiation patterns is shown in Figure 7.3.
Figure 7.1: Example of a spherical positioner system with a moving probe antenna (left), and with multiple probe antennas (right).

Figure 7.2 Example of a dual axis (roll-over-azimuth) positioner system.
7.3 Calibration measurement

The relative power data values of the measurement points will be transformed to absolute radiated power values (in dBm) by performing a calibration measurement using a reference antenna with known gain or efficiency values. The reference antenna is also called as the calibration antenna. The calibration method used here is based on so-called gain-comparison (gain-transfer) method, [39]. In the calibration measurement the reference antenna is measured in the same place as the DUT, and the attenuation of the complete transmission path from the DUT to the measurement receiver/NB/BS simulator is calibrated out. The gain and/or radiation efficiency of the reference antenna must be known at the frequency bands in which the calibrations are performed. Recommended calibration antennas are monopole antennas or sleeve dipoles tuned for the each frequency band of interest [40] [41]. A network analyzer or spectrum analyzer can be used to perform the calibration measurement. The network analyzer method is recommended. The calibration is performed individually for the both orthogonal polarizations used in the testing of the devices under test.

In the calibration procedure, a substitution method is used, allowing determining the Normalized Site Attenuation (NSA) at frequencies of interest. The principle is based on the use of calibration/substitution antennas (see the latter part of this section for more details about this kind of antennas) presenting a gain known with a sufficient accuracy in the measurement bandwidths. Such a substitution antenna is placed on the MS positioner at the exact MS location used for TRP, MEG/MERP, TRS and MERS measurement. It is possible to use a mechanical piece to place the substitution antenna on the positioner. This mechanical piece should not present any electromagnetic properties, which could influence the frequency response and the radiation properties of the substitution antenna. Note that usually two kinds of calibrated substitution antennas have to be considered to measure the vertical and horizontal polarization NSAs.

Find hereafter, an illustration of the substitution configuration in Figure 7.4.
Figure 7.4 Illustration of the calibration/substitution procedure.

An RF power generator drives a continuous wave (CW) signal to the calibrated substitution antenna. After having measured cable losses from A to C and thanks to the data sheet of the calibrated substitution antenna, it is possible to determine the power radiated in the plane P, with a known and sufficiently low uncertainty.

The cable AC connecting the substitution antenna to the RF power generator should be such that its influence upon radiation pattern measurements is negligible.

NSA is the attenuation between P and B (red curve of Figure 7.4).

The power generator is tuned to a reference output RF level. The measured power on the spectrum analyzer allows deducing the NSA.

Note that it is important to check the RF generator power level with the spectrum analyzer, to avoid any power level differences between measurement devices. To do so, a calibrated cable is necessary (c1).

This procedure has to be done at each frequency of interest.

To achieve measurements with an uncertainty as low as possible, it is absolutely necessary to exactly keep the same P to B configuration (cables, dual-polarized antenna and cables positions, etc).

In the case of TRP, TRS, MEG/MERP and MERS measurements using a radio communication tester, connection B has to be connected to a BS simulator.

Find hereunder the formula that allows to define the NSA:

\[
\text{NSA} = \left( P_{\text{RF}_{\text{gen}}} - L_{\text{AC}} + G_{\text{substitution}} \right) - P_{\text{SA}} + \delta c_1 (\text{dB})
\]  

(7.1)

where expressed in dB, NSA is the Normalized Site Attenuation, \( P_{\text{RF}_{\text{gen}}} \) is the power delivered by the RF generator, \( L_{\text{AC}} \) denotes the losses in the emission cable (AC), \( G_{\text{substitution}} \) is the gain of the calibrated substitution antenna, \( P_{\text{SA}} \) is the power measured by the spectrum analyzer (B) and \( \delta c_1 \) is the delta between reference levels of the RF generator and the spectrum analyzer.

The NSA measurement is affected by an uncertainty defined in Appendix A. Note that, between two successive NSA procedures, it is very important to check if the difference between the new NSA and the old one does not exceed the uncertainty value. If this difference is within the uncertainty scale, the first NSA measurement should be kept, otherwise the uncertainty scale would be increased. If this difference is out of the uncertainty scale, the site has been modified.
such a case, one should analyze what has been changed in the site and tune the NSA, if necessary. Another method to
determine the NSA could be implemented as shown in Figure 7.5.

![Figure 7.5](image_url)

Figure 7.5 Calibration/substitution procedures using a vector network analyzer.

The procedure is exactly the same but the use of a unique measurement device (network analyzer) for the transmission
and reception avoids the measurement of $\delta c_1$.

Note that the calibration procedure was described for a system using a spectrum analyzer as the receiver in the DUT
measurements. The same calibration procedure is applicable also for the systems using a radio communications tester as
the receiver. In that case the Rx-port corresponds to the input port of the spectrum analyzer in Figures 7.4 and 7.5.

For spherical scanning systems, where the probe antenna is rotated in the vertical plane, it can be convenient to perform
the NSA calibration, by using the reference antenna efficiency $\eta_{\text{substitution}}$, rather than its peak gain [40]. In this case a
full spherical scanning is performed with the reference antenna on the positioner. The average received power at the
spectrum analyzer is calculated by using the standard summation formula described in section 6.1:

\[
P^{SA}_{\text{Average}} = \frac{1}{N M} \sum_{m=0}^{N-1} \sum_{n=0}^{M-1} [P^{SA}_\theta (\theta_n, \varphi_m) + P^{SA}_\varphi (\theta_n, \varphi_m; f)] \sin(\theta_n)
\]

(7.2)

\[
\text{NSA} = \left( P_{\text{Ref gen}} - L_{AC} + \eta_{\text{substitution}} \right) - P^{SA}_{\text{Average}} + \delta c(dB)
\]

(7.3)

This calibration procedure has the advantage than the NSA is averaged on all the probe antenna positions.

The calibration is a highly time-consuming process. A reference UE can be a solution to rapidly verify that the
calibration of the site does not deviate too much. It is very important to fully characterize the reference UE just after a
full calibration procedure.

### 7.3 Reference antennas

#### Low gain reference antennas

Half-wave dipole antennas are widely used as reference antennas for measurement/calibration of antennas and test
ranges for low gain antenna measurements. An example of reference sleeve dipole is shown in Figure 7.6. The design is
based on low loss end-fed sleeve dipole technology minimizing cable and feed point interaction. The design includes a
choke, which further reduces cable interaction by attenuating the natural return currents from the dipole [41].

Half-wave dipole is relatively narrow band antenna with roughly 10% bandwidth and very high efficiency ~ 95%. A
very high degree of azimuth pattern symmetry can be obtained with high precision machining of the dipole components
[41]. The dipole performance can be relatively easily estimated using theoretical formulas although these formulas are
unable to predict the impact of the choke. Therefore, accurate pre-calibration of the reference sleeve dipoles in a laboratory specialized in high accuracy antenna calibrations is recommended.

A carefully designed and constructed sleeve dipole is a good choice as the reference antenna for the calibration procedure of 3G UE performance measurements. The relative bandwidth of UMTS systems is 12% (1920 to 2170 MHz). One calibrated sleeve dipole can approximately cover the whole UMTS band. However, different sleeve dipoles are needed for dual-system terminals (UMTS and GSM), for e.g. GSM900 and GSM1800 bands, thus, a set of calibrated sleeve dipoles may be needed.

Figure 7.6 Examples of reference sleeve dipoles [41].

In the proposed test procedure in this document, DUT measurements are needed with two orthogonal polarizations. Consequently, calibration measurement and antenna is needed for both of these two orthogonal polarizations. The magnetic dipole or magnetic loop antenna shown in Figure 7.7 is often used to complement the electrical dipole. The radiation pattern of the magnetic dipole is very similar to the electrical dipole but in orthogonal polarisation. The antenna consists of a planar structure generating a loop of current fed by a coaxial cable from below. The cable is orthogonal to the polarisation so any interaction between the two will generate cross-polar radiation. The design includes a choke, which further reduces cable interaction by attenuating the natural return currents from the magnetic dipole.

The magnetic dipole is also relatively narrow band antenna with roughly 10% bandwidth and very high efficiency ~ 95%. A very high degree of azimuth pattern symmetry can be obtained with a careful design and high precision machining of the antenna components. As in the case of electrical dipole, theoretical formulas can be used to predict the performance but the impact of the choke has to be experimentally checked. Accurate calibration of the magnetic loop antenna in a high-accuracy antenna calibration laboratory is recommended.

Figure 7.7 Examples of reference magnetic dipoles (loop antennas) [41].

8 Measurement procedure – receiver performance

This section describes the specifics of the radiated sensitivity measurement procedure.

The procedure for the measurement of the UE receiver performance is in principle equivalent to the transmitter performance measurement described in Chapter 7. The basic difference is that now the absolute sensitivity value at a
predefined BER level is the parameter of interest in each measurement point. Note that the receiver and transmitter performances measurements can be done in parallel, at each position.

8.1 General measurement arrangements

A radio communications tester or a corresponding device is used as a NB/BS simulator to setup calls to the DUT. The NB/BS simulator is also used to send test signals to the UE and measure the BER levels of the radio link and the information on the dedicated channel needed to extract the DUT receiver performances. See Appendices C and D for the UE receiver sensitivity measurement considerations in UMTS and GSM systems respectively.

The measurements are performed so that the DUT is placed against a SAM phantom. The characteristics of the SAM phantom and positioning details are provided in Section 5. The measurement is performed both on the left and right ears of the SAM phantom. The center of the rotation should be at the ear reference point of the SAM head.

The measurements will be performed for the different antenna configurations of the DUT. For example in the case of a retractable antenna, for both antenna extended and retracted configurations.

8.2 Procedure for spherical scanning ranges

The measurement procedure is based on the measurement of the spherical sensitivity pattern of the Device Under Test (DUT). The sensitivity values of the DUT at a predefined BER level are sampled in far field in a group of points located on a spherical surface enclosing the DUT. The samples are taken using a constant sample step of 30 ° or smaller, both in theta (θ) and phi (φ) directions. All the samples are taken with two orthogonal linear polarizations, θ- and φ-polarisations. It is also possible to measure some other polarisation components, if it is possible to recover θ- and φ-polarisations from the measured data by some technique. The Total Radiated Sensitivity (TRS) and Mean Effective Sensitivity (MERS) are calculated from the measured data by integration (see definitions from Chapter 6).

See Chapter 7 for the examples of antenna pattern measurement systems and the definition of the coordinate system.

8.3 Calibration measurement

The relative receiver sensitivity values at the measurement points will be transformed to absolute sensitivity values (in dBm) by performing a calibration measurement using a reference antenna with known gain or efficiency values. In the calibration measurement the reference antenna is measured in the same place as the DUT, and the attenuation from the whole path from the DUT to the measurement receiver/NB/BS simulator is calibrated out. The gain and/or radiation efficiency of the reference antenna must be known at the frequency bands in which the calibrations are performed. Recommended calibration antennas are monopole antennas or sleeve dipoles tuned for the each frequency band of interest [40] [41], see the previous Chapter. A network analyzer is recommended for the calibration measurement. The calibration is performed individually for the both two orthogonal polarizations used in the testing of the devices under test.

The calibration procedure for the receiver measurement (downlink) is in principle the same as for the transmitter (uplink) measurement. Note, however, that in UMTS systems the downlink measurement has different frequency band than the uplink. Moreover, in uplink measurement the attenuation path, which needs to be calibrated out, is from the location of the DUT to Rx-port of the radio communications tester (or a spectrum analyzer, if used), whereas in the downlink measurement the unknown attenuation path is from the DUT location to Tx-port of the radio communications tester. This consequently means that the uplink calibration data is not applicable for the downlink measurement but a separate calibration is needed.

9 Radiated power and sensitivity measurement techniques in UMTS system

This section presents technical details and examples on how to carry out the TRP (uplink) and TRS (downlink) measurement of the UMTS terminal with a radio communications tester. Appendix D presents details for TRP and TRS measurement procedure for 2G (GSM) mode of the terminal and related information can be found in references [42] and [43].
Some background information on the RF and frequency spectrum properties of UMTS system is presented first.

9.1 Technical background information

In the WCDMA system there are two operation modes called FDD (Frequency Division Duplex) and TDD (Time Division Duplex) [44]. The FDD mode is considered in this document. Data are transmitted simultaneously in uplink and downlink to/from different users at a given frequency.

WCDMA FDD mode is designed to operate with 190MHz Tx-Rx frequency separation, and operates in Europe in the following paired bands:

- 1920 – 1980 MHz: Up-link (UE transmits)
- 2110 – 2170 MHz: Down-link (Node B transmits)

The channel separation is 200 kHz, which means that the center frequency is an integer multiple of 200 kHz. In FDD mode the lowest RF uplink channel is 9612, which is equivalent to 1922.4 MHz. The middle RF uplink channel is 9750 (1950 MHz) and the highest RF uplink channel is 9888 (1977.6 MHz). The nominal frequency allocation for a single 3GPP WCDMA FDD channel is 5 MHz. The effective bandwidth for WCDMA is 3.84 MHz and with guard bands, the required bandwidth is 5 MHz.

Table 9.1 shows the UE power classes according to 3GPP TS25.101 specification [45], but normally the only power classes in use are 3 (high power data terminal including antenna gain 2dBi) and 4 (speech terminal) in the user equipment.

<table>
<thead>
<tr>
<th>Power Class</th>
<th>Nominal maximum output power</th>
<th>Tolerance</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>+33 dBm</td>
<td>+1/-3 dB</td>
</tr>
<tr>
<td>2</td>
<td>+27 dBm</td>
<td>+1/-3 dB</td>
</tr>
<tr>
<td>3</td>
<td>+24 dBm</td>
<td>+1/-3 dB</td>
</tr>
<tr>
<td>4</td>
<td>+21 dBm</td>
<td>± 2 dB</td>
</tr>
</tbody>
</table>

The UE transmitter has the capability of changing the output power with a step size of 1, 2 and 3 dB.

9.1.1 The common test setup for TRP and TRS testing

Common settings for TRP and TRS measurements are needed to enable simultaneous measurement of TRP & TRS:

- Power control algorithm 2
  - More stable output power
  - As the TRS is tested at the same time with TRP there will be errors in received power control commands during the test. With PCA2 the impact of random PC errors to the UE output power can be minimized.
  - UE output power must be set to the maximum level during TRS test as in 25.101 sensitivity test case
- Compressed mode OFF
  - Transmission gaps disabled
- Test loop mode 2
  - To enable TRS measurement
  - In test loop mode 2 both the received bits and the CRC are looped back to Node B simulator
- Data pattern PN15
9.2 TRP measurement

Radio communications tester with WCDMA FDD option is used in the measurements to simulate a base station (BS) (also called as Node B in UMTS system) for establishing and maintaining the calls. The BS simulator is also used for controlling the transmit power level of the mobile phones. Examples of such tester are R&S CMU200, AGILENT 8960 or ANRITSU.

The test procedure is based on a connection between the tester and the DUT on a Reference Measurement Channel (RMC) specified in [45]. In the RMC it is possible to carry out BER tests as well as measure the received power at the UE (so-called CPICH RSCP for Common Pilot Channel Received Signal Code Power). The RMC permits also to vary the bit rate of the connection from 12.2 kbps to 384 kbps with symmetric or asymmetric traffic depending on the terminal capability. The presented test procedure is based on 12.2 kbps data rate. A higher data rate may be used in future along with the further development of the test procedure.

The uplink measurement (TRP) algorithm measures the instantaneous maximum power by sending constant ‘power up command’ to the terminal. The mobile phone is commanded to transmit at full power so that output power variations due to the close loop power control are then avoided.

Figure 9.1 shows an example test set-up for UMTS measurements. The filters are needed in the test set-up in order to avoid the coupling effects between the signals in the power splitter. Different filtered physical paths are shown in Figure 9.1. Using the same port for input and output on the communication tester has been discarded due to hardware restriction; indeed, the communication tester sensitivity on dual way port is much lower than single way port sensitivity. This is a typical problem of many existing BS simulators, which are still currently under development. Figure 9.1 represents a measurement set-up taking those problems into account. Splitter and filters will eventually be suppressed when it is possible to work only with one port of the BS simulator.

Note: for practical reasons it may be most efficient to build a set-up that allows performing both 3G and 2G UE testing.

\[\text{Figure 9.1 Example UMTS measurement set-up. The RS CMU 200 should be replaced by BS/NB simulator.}\]

The measurement is first initialised so that the mobile terminal is synchronised and registered with the pseudo-network emulated by the radio communications tester. To do that, signal from the Node B simulator is activated and an operator switches on the phone (in the anechoic room) so that the DUT will synchronise on start up. It is also possible to wait for a period of time if the mobile phone is already switched on, so it will synchronise itself. The mobile terminal is then fixed in the measurement position (in free space or beside the phantom). Since the established connection is a RMC, there is no need of answering a phone call (i.e. unlike in GSM).

During the measurement the mobile terminal is controlled to transmit with full power. For all points on a spherical surface surrounding the mobile phone, the uplink received power is measured by the base station simulator. The base station simulator itself (Node B) should transmit at sufficiently high power level (e.g. 0 dBm) to ensure error-free connection in downlink.
9.3 TRS measurement

The TRS measurement is initialized in the same way as the TRP measurement: the mobile terminal is synchronised and registered with the pseudo-network emulated by the radio communications tester.

The downlink algorithm (TRS) bases its measurement on BER measurements. The aim is to determine the needed received power at UE (so-called target power or $P_{\text{target}}$) to achieve the BER target (e.g. 1%).

**Full TRS measurement:**

Sensitivity level is measured using 12.2kbps DL (and UL) reference channel for every position and polarization of the phone by sweeping the power transmitted by system simulator until the BER reaches target value of $1.0\% \pm 0.2\%$ using at least 20000 bits.

In order to speed up the measurement the DL and UL bit rate can be increased to maximum supported by the UE. When higher than 12.2kbps data rate is used also the BER target can be changed to $10.0\% \pm 2.0\%$ using at least 20000 bits. If modified bit rate or BER target is used the effect of this modification ($\Delta Sen$) must be measured at least in 4 different positions for each measured frequency (low, mid high). Reference sensitivity measurements must be done in a sequential order for each position.

The sensitivity level with faster method is done similarly as the full TRS measurement with 12.2kbps reference channel. The sensitivity level is measured with higher data rate and BER target for every position and polarization of the phone by sweeping the power transmitted by system simulator until the BER reaches target value. In addition to the higher data rate measurement the sensitivity level with 12.2kbps DL reference channel needs to be measured as in standard method in positions that are used in definition of the correction factor $\Delta Sen$.

Assuming $\Delta Sen_{fa,pb}$ is difference in sensitivity (in dBs) between 12.2kbps DL reference channel ($1.0\% \pm 0.2\%$ BER using at least 20000 bits) and higher data rate DL channel with higher BER target measured at frequency a and position b. $\overline{\Delta Sen}$ for frequency a is then dB average of measured $\Delta Sen_{fa,pb}$ s where $b=1...b_{\text{max}}$ and $b_{\text{max}}\geq4$.

At the end of the test sequence $\overline{\Delta Sen}$ for each measured frequency must be added to the measured higher data rate sensitivity level to get the corresponding 12.2kbps 1% sensitivity level.

9.4 Calibration of absolute levels

In the calibration process, the measurement system's power levels are calibrated using a reference antenna with known gain at European 3G frequency band (1920 - 2170MHz). One technique is to feed the reference antenna from the RF output port of an applicable 3G UE and the maximum received power at the communication tester is recorded. See more details on the calibration measurement from Chapter 8 and Appendix F.
Annex A (informative):
Estimation of measurement uncertainty

Individual uncertainty contributions in the TRP and TRS measurements are discussed and evaluated in this Appendix. A technique for calculating the total measurement uncertainty is also presented. More detailed discussion on the uncertainty contributions can be found from [48] [49].

An important part of a standard measurement procedure is the identification of uncertainty sources and the evaluation of the overall measurement uncertainty. There are various individual uncertainty sources in the measurement procedure that introduce a certain uncertainty contribution to the final measurement result. The approach in this standard test procedure is that the test laboratories are not limited to using some specific instruments and antenna positioners, for example. However, a limit is set for the maximum overall measurement uncertainty.

The TRP/TRS measurement procedure can be considered to include two stages. In Stage 1 the actual measurement of the 3-D pattern of the Device Under Test (DUT) is performed. In Stage 2 the calibration of the absolute level of the DUT measurement results is performed by means of using a calibration antenna whose absolute gain/radiation efficiency is known at the frequencies of interest. The uncertainty contributions related to TRP are listed in Table A.1 and the contributions related to TRS are in Table A.2. The uncertainty contributions are analyzed in the following paragraphs.

The calculation of the uncertainty contribution is based on the ISO Guide to the expression of uncertainty in measurement [50] [51] [52] [53]. Each individual uncertainty is expressed by its Standard Deviation (termed here as 'standard uncertainty') and represented by symbol U. The uncertainty contributions can be classified to two categories: Type-A uncertainties, which are statistically determined e.g. by repeated measurements, and Type-B uncertainties, which are derived from existing data e.g. data sheets. Several individual uncertainties are common in Stage 1 and Stage 2 and therefore cancel [48] [49].

The procedure of forming the uncertainty budget in TRP measurement is [48] [49]:

1) Compile lists of individual uncertainty contributions for TRP measurement both in Stage 1 and Stage 2.
2) Determine the standard uncertainty of each contribution by
   a) Determining the distribution of the uncertainty (Gaussian, U-shaped, rectangular, etc.)
   b) Determining the maximum value of each uncertainty (unless the distributions is Gaussian)
   c) Calculating the standard uncertainty by dividing the uncertainty by $\sqrt{2}$ if the distribution is U-shaped, and by $\sqrt{3}$ if the distribution is rectangular.
3) Convert the units into decibel, if necessary.
4) Combine all the standard uncertainties by the Root of the Sum of the Squares (RSS) method.
5) Combine the total uncertainties in Stage 1 and Stage 2 also by the RSS method:
$$u_c = \sqrt{u_{c,\text{DUT measurement}}^2 + u_{c,\text{calibration measurement}}^2}.$$
6) Multiply the result by an expansion factor of 2 to derive expanded uncertainty at 95% confidence level: $2 \times u_c$.

The limit for the expanded uncertainty at 95 % confidence level is: (TBD) dB.

Example uncertainty budgets are presented in Tables A.5 and A.6.
Table A.1: Uncertainty contributions in TRP measurement.

<table>
<thead>
<tr>
<th>Description of uncertainty contribution</th>
<th>Details in paragraph</th>
</tr>
</thead>
<tbody>
<tr>
<td>Stage 1, DUT measurement</td>
<td></td>
</tr>
<tr>
<td>1) Mismatch of receiver chain (i.e. between probe antenna and measurement receiver)</td>
<td>A.1-A.2</td>
</tr>
<tr>
<td>2) Insertion loss of receiver chain</td>
<td>A.3-A.5</td>
</tr>
<tr>
<td>3) Influence of the probe antenna cable</td>
<td>A.6</td>
</tr>
<tr>
<td>4) Uncertainty of the absolute antenna gain of the probe antenna</td>
<td>A.7</td>
</tr>
<tr>
<td>5) Measurement Receiver: uncertainty of the absolute level</td>
<td>A.8</td>
</tr>
<tr>
<td>6) Measurement distance:</td>
<td></td>
</tr>
<tr>
<td>a) offset of DUT phase center from axis(es) of rotation</td>
<td>A.9</td>
</tr>
<tr>
<td>b) mutual coupling between the DUT and the probe antenna</td>
<td></td>
</tr>
<tr>
<td>c) phase curvature across the DUT</td>
<td></td>
</tr>
<tr>
<td>7) Quality of quiet zone</td>
<td>A.10</td>
</tr>
<tr>
<td>8) DUT Tx-power drift</td>
<td>A.11</td>
</tr>
<tr>
<td>9) Uncertainty related to the use of the SAM phantom:</td>
<td>A.12</td>
</tr>
<tr>
<td>a) uncertainty from using different types of SAM phantom</td>
<td></td>
</tr>
<tr>
<td>b) simulated tissue liquid uncertainty</td>
<td></td>
</tr>
<tr>
<td>10) Coarse sampling grid</td>
<td>A.13</td>
</tr>
<tr>
<td>11) Random uncertainty (repeatability, including positioning uncertainty of the DUT against the SAM phantom)</td>
<td>A.14</td>
</tr>
<tr>
<td>Stage 2, Calibration measurement, network analyzer method, figure 7.5</td>
<td></td>
</tr>
<tr>
<td>12) Uncertainty of network analyzer</td>
<td>A.15</td>
</tr>
<tr>
<td>13) Mismatch of receiver chain</td>
<td>A.1-A.2</td>
</tr>
<tr>
<td>14) Insertion loss of receiver chain</td>
<td>A.3-A.5</td>
</tr>
<tr>
<td>15) Mismatch in the connection of calibration antenna</td>
<td>A.1</td>
</tr>
<tr>
<td>16) Influence of the calibration antenna feed cable</td>
<td>A.6</td>
</tr>
<tr>
<td>17) Influence of the probe antenna cable</td>
<td>A.6</td>
</tr>
<tr>
<td>18) Uncertainty of the absolute gain of the probe antenna</td>
<td>A.7</td>
</tr>
<tr>
<td>19) Uncertainty of the absolute gain/ radiation efficiency of the calibration antenna</td>
<td>A.16</td>
</tr>
<tr>
<td>20) Measurement distance:</td>
<td>A.9</td>
</tr>
<tr>
<td>a) Offset of calibration antenna's phase center from axis(es) of rotation</td>
<td></td>
</tr>
<tr>
<td>b) Mutual coupling between the calibration antenna and the probe antenna</td>
<td></td>
</tr>
<tr>
<td>c) Phase curvature across the calibration antenna</td>
<td></td>
</tr>
<tr>
<td>21) Quality of quiet zone</td>
<td>A.10</td>
</tr>
</tbody>
</table>
Table A.2: Uncertainty contributions in TRS measurement.

<table>
<thead>
<tr>
<th>Description of uncertainty contribution</th>
<th>Details in paragraph</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Stage 1, DUT measurement</strong></td>
<td></td>
</tr>
<tr>
<td>1) Mismatch of transmitter chain (i.e. between probe antenna and base station simulator)</td>
<td>A.1-A.2</td>
</tr>
<tr>
<td>2) Insertion loss of transmitter chain</td>
<td>A.3-A.5</td>
</tr>
<tr>
<td>3) Influence of the probe antenna cable</td>
<td>A.6</td>
</tr>
<tr>
<td>4) Uncertainty of the absolute antenna gain of the probe antenna</td>
<td>A.7</td>
</tr>
<tr>
<td>5) Base station simulator: uncertainty of the absolute output level</td>
<td>A.17</td>
</tr>
<tr>
<td>6) BER measurement: output level step resolution</td>
<td>A.18</td>
</tr>
<tr>
<td>7) Statistical uncertainty of BER measurement</td>
<td>A.19</td>
</tr>
<tr>
<td>8) BER data rate normalization</td>
<td>A.20</td>
</tr>
<tr>
<td>9) Measurement distance:</td>
<td>A.9</td>
</tr>
<tr>
<td>a) offset of DUT phase center from axis(es) of rotation</td>
<td></td>
</tr>
<tr>
<td>b) mutual coupling between the DUT and the probe antenna</td>
<td></td>
</tr>
<tr>
<td>c) phase curvature across the DUT</td>
<td></td>
</tr>
<tr>
<td>10) Quality of quiet zone</td>
<td>A.10</td>
</tr>
<tr>
<td>11) DUT sensitivity drift</td>
<td>A.21</td>
</tr>
<tr>
<td>12) Uncertainty related to the use of the SAM phantom:</td>
<td>A.12</td>
</tr>
<tr>
<td>a) uncertainty from using different types of SAM phantom</td>
<td></td>
</tr>
<tr>
<td>b) simulated tissue liquid uncertainty</td>
<td></td>
</tr>
<tr>
<td>13) Coarse sampling grid</td>
<td>A.13</td>
</tr>
<tr>
<td>14) Random uncertainty (repeatability)</td>
<td>A.14</td>
</tr>
<tr>
<td>-positioning uncertainty of the DUT against the SAM</td>
<td></td>
</tr>
<tr>
<td><strong>Stage 2, Calibration measurement, network analyzer method, figure 7.5</strong></td>
<td></td>
</tr>
<tr>
<td>15) Uncertainty of network analyzer</td>
<td>A.15</td>
</tr>
<tr>
<td>16) Mismatch in the connection of transmitter chain (i.e. between probe antenna and NA)</td>
<td>A.1-A.2</td>
</tr>
<tr>
<td>17) Insertion loss of transmitter chain</td>
<td>A.3-A.5</td>
</tr>
<tr>
<td>18) Mismatch in the connection of calibration antenna</td>
<td>A.1</td>
</tr>
<tr>
<td>19) Influence of the calibration antenna feed cable</td>
<td>A.6</td>
</tr>
<tr>
<td>20) Influence of the probe antenna cable</td>
<td>A.6</td>
</tr>
<tr>
<td>21) Uncertainty of the absolute gain of the probe antenna</td>
<td>A.7</td>
</tr>
<tr>
<td>22) Uncertainty of the absolute gain/radiation efficiency of the calibration antenna</td>
<td>A.16</td>
</tr>
<tr>
<td>23) Measurement distance:</td>
<td>A.9</td>
</tr>
<tr>
<td>a) Offset of calibration antenna's phase center from axis(es) of rotation</td>
<td></td>
</tr>
<tr>
<td>b) Mutual coupling between the calibration antenna and the probe antenna</td>
<td></td>
</tr>
<tr>
<td>c) Phase curvature across the calibration antenna</td>
<td></td>
</tr>
<tr>
<td>24) Quality of quiet zone</td>
<td>A.10</td>
</tr>
</tbody>
</table>
If a network analyzer is not available for calibration measurement and a spectrum analyzer or a power meter is used, Stage 2 errors in Tables 1 and 2 must be replaced by Table 3.

**Table A.3: Uncertainty contributions in Stage 2 (calibration measurement, spectrum analyzer method)**

<table>
<thead>
<tr>
<th>Description of uncertainty contribution</th>
<th>Details in paragraph</th>
</tr>
</thead>
<tbody>
<tr>
<td>Stage 2, calibration measurement, spectrum analyser method, figure 7.4</td>
<td></td>
</tr>
<tr>
<td>1) Cable loss measurement uncertainty</td>
<td>A.22</td>
</tr>
<tr>
<td>2) Uncertainty from impedance mismatch between the signal generator and the calibration antenna</td>
<td>A.1</td>
</tr>
<tr>
<td>3) Impedance mismatch uncertainty between the measurement receiver and the probe antenna</td>
<td>A.1</td>
</tr>
<tr>
<td>4) Signal generator: uncertainty of the absolute output level</td>
<td>A.23</td>
</tr>
<tr>
<td>5) Signal generator: output level stability</td>
<td>A.24</td>
</tr>
<tr>
<td>6) Influence of the calibration antenna feed cable</td>
<td>A.6</td>
</tr>
<tr>
<td>7) Influence of the probe antenna cable</td>
<td>A.6</td>
</tr>
<tr>
<td>8) Insertion loss of the calibration antenna feed cable</td>
<td>A.25</td>
</tr>
<tr>
<td>9) Insertion loss of the probe antenna cable</td>
<td>A.3</td>
</tr>
<tr>
<td>10) Mismatch uncertainty: between signal generator and calibration antenna (if antenna attenuator is used)</td>
<td>A.1</td>
</tr>
<tr>
<td>11) Mismatch uncertainty: between measurement receiver and probe antenna (if antenna attenuator is used)</td>
<td>A.1</td>
</tr>
<tr>
<td>12) Insertion loss of the calibration antenna attenuator (if used)</td>
<td>A.26</td>
</tr>
<tr>
<td>13) Insertion loss of the probe antenna attenuator (if used)</td>
<td>A.4</td>
</tr>
<tr>
<td>14) Uncertainty of the absolute level of the measurement receiver</td>
<td>A.8</td>
</tr>
<tr>
<td>15) Uncertainty of the absolute gain of the probe antenna</td>
<td>A.7</td>
</tr>
<tr>
<td>16) Uncertainty of the absolute gain of the calibration antenna</td>
<td>A.16</td>
</tr>
<tr>
<td>18) Measurement distance:</td>
<td></td>
</tr>
<tr>
<td>a) Offset of calibration antenna's phase center from axis(es) of rotation</td>
<td>A.9</td>
</tr>
<tr>
<td>b) Mutual coupling between the calibration antenna and the probe antenna</td>
<td></td>
</tr>
<tr>
<td>c) Phase curvature across the calibration antenna</td>
<td></td>
</tr>
<tr>
<td>17) Quality of quiet zone</td>
<td>A.10</td>
</tr>
</tbody>
</table>

**A.1 Mismatch uncertainty between measurement receiver and the probe antenna**

If the same chain configuration (including the measurement receiver; the probe antenna and other elements) is used in both stages, the uncertainty is considered systematic and constant \( \Rightarrow 0.00 \text{dB} \) value.

If it is not the case, this uncertainty contribution has to be taken into account and determined by the following method.

In a measurement configuration, when two elements (devices, networks…) are connected, if the matching is not ideal, there is an uncertainty in the RF level signal passing through the connection. The magnitude of the uncertainty depends on the VSWR at the junction of the two connectors. In practical measurement system there are probably several connections in a test set-up, they will all interact and contribute to the combined mismatch uncertainty.

The total combined mismatch uncertainty is composed of 2 parts:

1) The mismatch through the connector between two elements

2) The mismatch due to the interaction between two elements

**A.1.1 Total combined mismatch uncertainty calculations**

**A.1.1.1 Mismatch uncertainty through the connector between two elements:**

Hereunder, a measurement configuration:
$\Gamma_{\text{MR}}$ is the complex reflection coefficient of the Measurement Receiver

$\Gamma_{\text{cable4}}$ is the complex reflection coefficient of the cable4

$S_{21}$ is the forward gain in the network between the two reflection coefficients of interest

$S_{12}$ is the backward gain in the network between the two reflection coefficients of interest

Note that $S_{21}$ and $S_{12}$ are set to 1 if the two parts are directly connected.

The uncertainty limits of the mismatch are calculated by means of the following formula table 1 of [56]:

Mismatch limits (% voltage) = $|\Gamma_{\text{MR}}| \times |\Gamma_{\text{cable4}}| \times |S_{21}| \times |S_{12}| \times 100$

These mismatch limits are divided by $\sqrt{2}$ because of the U-shaped (table 1 of) [56] distribution of the mismatch uncertainty and give the following standard uncertainty:

$U_{\text{mismatch}}$ (% voltage) = $\frac{|\Gamma_{\text{MR}}| \times |\Gamma_{\text{cable4}}| \times |S_{21}| \times |S_{12}| \times 100}{\sqrt{2}}$

To convert this standard uncertainty in dB, we divide it by the standard uncertainty conversion factor (table 1 of) [56]:

$U_{\text{mismatch}}$ (dB) = $\frac{|\Gamma_{\text{MR}}| \times |\Gamma_{\text{cable4}}| \times |S_{21}| \times |S_{12}| \times 100}{\sqrt{2} \times 11.5}$

### A.1.1.2 Mismatch uncertainty due to the interaction of several elements:

Previously, we presented how to determine the mismatch uncertainty between two elements through the junction (connector). Now, we introduce the other type of mismatch uncertainty, which is a result of the interaction between several elements.

Hereunder, a measurement configuration:

Firstly, we determine the mismatch uncertainty between junctions of the elements:

Between the MR and the cable3:

$U_{\text{mismatch1}}$ (dB) = $\frac{|\Gamma_{\text{MR}}| \times |\Gamma_{\text{cable3}}| \times |S_{21}| \times |S_{12}| \times 100}{\sqrt{2} \times 11.5}$

Between the cable3 and the cable4:

$U_{\text{mismatch2}}$ (dB) = $\frac{|\Gamma_{\text{cable3}}| \times |\Gamma_{\text{cable4}}| \times |S_{21}| \times |S_{12}| \times 100}{\sqrt{2} \times 11.5}$

$|S_{21}|$ and $|S_{12}|$ are set to 1 because there is no element between cable3 and cable4.
Each mismatch uncertainty due to the interaction between the measurement receiver and the cable is determined by means of the following formula (table 1 of) [56]:

\[ U_{\text{mismatch}}(\text{dB}) = \frac{\left| \Gamma_{\text{MR}} \times \Gamma_{\text{cable}} \times 100 \right|}{\sqrt{2 \times 11.5}} \]

\[ U_{\text{mismatch}}(\text{dB}) = \frac{\left| \Gamma_{\text{cable}} \times \Gamma_{\text{cable}} \times 100 \right|}{\sqrt{2 \times 11.5}} \]

\(|S_{21}|\) and \(|S_{12}|\) are equal and correspond to the cable attenuation.

\[ U_{\text{mismatch}}(\text{dB}) = \frac{\left| \Gamma_{\text{MR}} \times \Gamma_{\text{cable}} \times |S_{21}| \times |S_{12}| \times 100 \right|}{\sqrt{2 \times 11.5}} \]

We consider in the general case, the following measurement configuration:

\[ S_{12}\text{cable} \Rightarrow \Gamma_{\text{antenna}} \]

\[ S_{21}\text{cable} \Rightarrow \Gamma_{\text{cable}} \]

\[ S_{12}\text{cable} \Rightarrow \Gamma_{\text{antenna}} \]

\[ S_{21}\text{cable} \Rightarrow \Gamma_{\text{cable}} \]

|S_{21}|=|S_{12}| for passive elements (cables…)

\[ U_{\text{mismatch}}(\text{dB}) = \frac{\left| \Gamma_{\text{MR}} \times \Gamma_{\text{cable}} \times |S_{21}\text{cable}| \times |S_{12}\text{cable}| \times 100 \right|}{\sqrt{2 \times 11.5}} \]

\[ U_{\text{mismatch}}(\text{dB}) = \frac{\left| \Gamma_{\text{cable}} \times \Gamma_{\text{cable}} \times |S_{21}\text{cable}| \times |S_{12}\text{cable}| \times 100 \right|}{\sqrt{2 \times 11.5}} \]

\[ U_{\text{mismatch}}(\text{dB}) = \frac{\left| \Gamma_{\text{cable}} \times \Gamma_{\text{cable}} \times |S_{21}\text{cable}|^2 \times |S_{12}\text{cable}|^2 \times 100 \right|}{\sqrt{2 \times 11.5}} \]

A.1.2 Total combined mismatch uncertainty:

The two kinds of mismatch uncertainty contributions are combined by the root-sum-squares (RSS) method to derive the total combined mismatch uncertainty.

The total combined mismatch uncertainty is equal to:

\[ \sqrt{U_{\text{mismatch}}(\text{dB}) + \ldots + U_{\text{mismatch}}(\text{dB}) + U_{\text{mismatch}}(\text{interaction})(\text{dB}) + \ldots + U_{\text{mismatch}}(\text{interaction})(\text{dB})} \]

This formula shows that the uncertainty is frequency dependent by the way of the forward and the backward gains in the network between the two components. The uncertainty upon \(|S_{21}|\) and \(|S_{12}|\) increases with frequency. One can therefore expect for the UMTS band a higher mismatch uncertainty value than in the GSM and DCS bands.

Note that for an anechoic chamber, horn antennas are usually used as probe antennas. There are two kinds of horn antennas: single-polarized and dual-polarized. With the second one, it is possible to measure the co-polarized and cross-polarized signals without any movement of the probe, which reduces the cable antenna uncertainty contribution and improves the measurement stability.

To conduct the signals to the measurement receiver, the measurement system configuration using a dual-polarized horn antenna has to be completed with an RF Relay. This device will include new mismatch uncertainty contributions, which have to be determined with the previously presented calculation methods, completed by the RF relay parameters contributions, and described in the following.
A.2 Mismatch uncertainty of the RF relay

If the same receiver chain configuration (including the measurement receiver; the probe antenna and other elements) is used in both stages, the uncertainty is considered systematic and constant \( \Delta 0.00 \text{dB} \) value.

If it is not the case, this uncertainty contribution has to be taken into account and determined by the following method.

The following figure describes the RF Relay with its 'S' parameters and the complex reflection coefficient of the inputs and output:

![RF Relay Diagram]

The RF relay is used to switch over the cross and direct polarization signals from the probe antenna. To determine RF Relay mismatch uncertainty contributions, reflection coefficients for each port and the cross talk attenuation have to be known.

The total combined mismatch uncertainty is composed of two parts:

1) The mismatch uncertainty contributions when the RF Relay switches on the direct polarization signal

2) The mismatch uncertainty contributions when the RF Relay switches on the cross polarization signal

Each part is composed of two types of uncertainties introduced in the previous paragraph: the mismatch through the connector between two elements and the mismatch due to the interaction between several elements.

A.2.1 First part: RF Relay switched on the co-polarized signal

A.2.1.1 The mismatch through the connector between two elements

Between the Input1 and the port1:

\[
U_{\text{mismatch,1}}(\text{dB}) = \left| \Gamma_{1} \right| \times \left| S_{11} \right| \times 100 \left/ \sqrt{2 \times 11.5} \right.
\]

Between the port3 and the Output:
Between the Input2 and the port2:

The RF Relay switchovers on the direct polarization signal. As a result, there is no mismatch uncertainty contribution.

### A.2.1.2 Mismatch due to the interaction between two elements or more

Between the Input1 and the Output:

\[
U_{\text{interaction,1}}(\text{dB}) = \frac{\left| \Gamma_1 \right| \times \left| S_{31} \right| \times 100}{\sqrt{2} \times 11.5}
\]

Between the Input1 and the Input2:

\[
U_{\text{interaction,2}}(\text{dB}) = \frac{\left| \Gamma_2 \right| \times \left| S_{21} \right| \times \left| S_{12} \right| \times 100}{\sqrt{2} \times 11.5}
\]

The RF Relay switchovers on the cross polarization signal. As a result; this uncertainty contribution is usually disregarded because of the high crosstalk attenuation which is characterized by \( |S_{21}| \) and \( |S_{12}| \) 'S' parameters. If the crosstalk attenuation is low, this uncertainty contribution has to be considered.

Between the Input2 and the Output:

\[
U_{\text{interaction,3}}(\text{dB}) = \frac{\left| \Gamma_2 \right| \times \left| S_{31} \right| \times \left| S_{12} \right| \times 100}{\sqrt{2} \times 11.5}
\]

The RF Relay switchovers on the cross polarization signal. As a result; this uncertainty contribution is usually disregarded because of the high cross-talk attenuation, which is characterized by \( |S_{31}| \) and \( |S_{32}| \) 'S' parameters. If the crosstalk attenuation is low, this uncertainty contribution has to be considered.

### A.2.2 Second part: RF relay switched on the cross-polarized signal

#### A.2.2.1 The mismatch through the connector between two elements

Between the Input1 and the port1:

The RF Relay switchovers on the direct polarization signal. As a result, there is no mismatch uncertainty contribution.

Between the port3 and the Output:

\[
U_{\text{mismatch,3}}(\text{dB}) = \frac{\left| \Gamma_3 \right| \times |S_{33}| \times 100}{\sqrt{2} \times 11.5}
\]

Between the Input2 and the port2:

\[
U_{\text{mismatch,4}}(\text{dB}) = \frac{\left| \Gamma_3 \right| \times |S_{33}| \times 100}{\sqrt{2} \times 11.5}
\]

#### A.2.2.2 Mismatch due to the interaction between two elements or more

Between the Input1 and the Output:
The RF Relay switchovers on the cross polarization signal. As a result, this uncertainty contribution is usually disregarded because of the high crosstalk attenuation which is characterized by \( |S_{11}| \) and \( |S_{12}| \) ’S’ parameters. If the crosstalk attenuation is low, this uncertainty contribution has to be considered.

Between the Input1 and the Input2:

\[
U_{\text{interaction}}(\text{dB}) = \frac{|\Gamma_1| \times |\Gamma_3| \times |S_{31}| \times |S_{13}| \times 100}{\sqrt{2 \times 11.5}}
\]

The RF Relay switchovers on the cross polarization signal. As a result, this uncertainty contribution is usually disregarded because of the high crosstalk attenuation which is characterized by \( |S_{21}| \) and \( |S_{12}| \) ’S’ parameters. If the crosstalk attenuation is low, this uncertainty contribution has to be considered.

Between the Input2 and the Output:

\[
U_{\text{interaction}}(\text{dB}) = \frac{|\Gamma_2| \times |\Gamma_1| \times |S_{21}| \times |S_{12}| \times 100}{\sqrt{2 \times 11.5}}
\]

### A.2.3 Total combined mismatch uncertainty:

Each non-zero mismatch uncertainty contribution from both parts (RF Relay switched on the cross and direct polarization signal) are combined by the root-sum-squares (RSS) method to derive the total combined mismatch uncertainty.

The total combined mismatch uncertainty is equal to:

\[
\sqrt{U_{\text{mismatch}}(\text{dB}) + \ldots + U_{\text{mismatch}}(\text{dB}) + U_{\text{mismatch interaction}(\text{dB})} + \ldots + U_{\text{mismatch interaction}(\text{dB})}}
\]

If a RF Relay is used to drive the cross and direct polarization signals from the dual-polarized antenna, this total combined mismatch uncertainty has to be added with all the uncertainty measurement contributions for the total combined measurement uncertainty.

### A.3 Insertion loss of the probe antenna cable

If the probe antenna cable does not move between the calibration and the DUT measurement stage, the uncertainty due to the insertion loss of the cable is assumed to be systematic. Moreover, this uncertainty is common and constant in both stages and that is why this leads to 0.00dB value.

If a different cable is used in the calibration measurement and in the DUT measurement, and the difference of the insertion loss is used in the calculations, then the overall combined standard uncertainty of the insertion loss measurement should be used in the uncertainty budget. The distribution of this uncertainty is assumed to be rectangular, in which case the standard uncertainty can be calculated as the maximum value/\( \sqrt{3} \).

### A.4 Insertion loss of the probe antenna attenuator (if used)

See Insertion loss of the probe antenna cable

If the probe antenna attenuator is used in both stages, the uncertainty is considered systematic and constant \( \Rightarrow 0.00 \text{dB} \) value.
A.5 Insertion loss of the RF relays (if used)

See Insertion loss of the probe antenna cable.

If the RF relay is used in both stages, the uncertainty is considered systematic and constant \( \Rightarrow 0.00 \text{dB value} \).

A.6 Influence of the antenna cable

A.6.1 Probe antenna cable

If the probe antenna is directional (i.e. peak gain \( >+5 \text{dBi} \) e.g. horn, LPDA, etc.) and the same probe antenna cable configuration is used for both stages, the uncertainty is considered systematic and constant \( \Rightarrow 0.00 \text{dB value} \).

In other cases a technical study should be done.

An ETSI technical report [55] (clause D.1.3.6) gives a discussion on the results obtained by testing a vertically polarized biconical antenna over a ground plane with differing RF cable configurations.

A.6.2 Calibration antenna cable

If an efficiency calibration is performed, influence of the calibration antenna feed cable can be assumed to be negligible, due to data averaging.

In the case of gain calibration, the influence of the calibration antenna feed cable must be assessed by measurements. A gain calibration measurement is repeated with a reasonably differing routing of the feed cable. Largest difference between the results is entered to the uncertainty budget with a rectangular distribution.

A.7 Absolute gain of the probe antenna

The uncertainty appears in the both stages and it is thus considered systematic and constant \( \Rightarrow 0.00 \text{dB value} \).

A.8 Measurement receiver: uncertainty of absolute level

The receiving device is used to measure the received signal level in TRP tests either as an absolute level or as a relative level. Receiving device used is typically a Base Station Simulator (BSS), spectrum analyzer (SA), or power meter (PM). Generally there occurs an uncertainty contribution from limited absolute level accuracy and non-linearity.

A.9 Measurement distance

The uncertainty contribution from a finite measurement distance is estimated in three parts.

A.9.1 Offset of DUT phase centre from axis(es) of rotation

In all the measurements defined in this test procedure the DUT and phantom combination is rotated about the ear reference point of SAM phantom, which is also assumed to be the location of the phase center in both angular directions of the measurements.

For some turntables this may be practically impossible in which case a measurement uncertainty contribution can arise because the phase center will rotate on a non-zero radius about the center of rotation, thereby giving a variable measurement distance [48] [49]. Data averaging process may lead to a partial self-cancel of this uncertainty.
The following formula is used to estimate this uncertainty contribution in stage 1:

\[ U_{\text{phase\_center\_limits}} (\text{dB}) = 10 \log (d \pm \Delta d)^2 + 10 \log (d)^2 \]

If a gain calibration is performed in Stage 2, the uncertainty contribution of calibration antenna's displacement is estimated with the previous formula. Misalignment can be estimated with following formula,

\[ U_{\text{misalignment}} (\text{dB}) = 20 \log (\cos \theta) \]

where \( \theta \) is the misalignment angle between the calibration antenna and the probe antenna. The contribution shall be added to displacement error:

\[ U_{\text{cal}} (\text{dB}) = \sqrt{U_{\text{phase\_center\_limits}}^2 + U_{\text{misalignment}}^2} \]

For an efficiency calibration with an omnidirectional calibration antenna, the \( U_{\text{cal}} \) is calculated similarly as for gain calibration but the uncertainty may be divided by factor 2. This is due to correcting impact of data averaging in this type of calibration.

### A.9.2 Mutual coupling

In measurement of radio performances of UMTS mobile phones in speech mode, the mutual coupling uncertainty for this frequency band is a 0.00dB value (see annex A-2 in [57]).

The 0.00dB value can be extended for the GSM; DCS and PCS band frequencies.

### A.9.3 Phase curvature

This uncertainty originates from the finite far-field measurement distance, which causes phase curvature across the DUT. If the measurement distance is \( > 10\lambda \), this error is assumed to be negligible. At 2 GHz \( \lambda \) is 0.15 m, thus \( 10\lambda \) is 1.5 m.

### A.10 Quality of quiet zone

The uncertainty contribution of the reflectivity level of the anechoic chamber is determined from the average standard deviation of the electric field in the quiet zone. By repeating a free space VSWR measurement in 15-degree grid in elevation and azimuth, 264 standard deviation values in both polarizations are determined. From these values average standard deviation of electric field in the quiet zone can be calculated from the equation:

\[ S_{freq} = \frac{\pi}{2NM} \sum_{n=1}^{N} \sum_{m=1}^{M} s_{n,m,hor} \sin(\theta_n) + \frac{\pi}{2NM} \sum_{n=1}^{N} \sum_{m=1}^{M} s_{n,m,ver} \sin(\theta_n) \]

Where

- \( N \) is number of angular intervals in elevation,
- \( M \) is number of angular intervals in azimuth and
- \( \theta_n \) is elevation of single measurement \( s_{n,m,pol} \).

If an efficiency calibration with omnidirectional calibration antenna is performed, the effect of reflectivity level decreases in Stage 2 and \( S_{freq} \) may be divided by factor 2. This is due to correcting impact of data averaging in this type of calibration. Efficiency calibration done with sampling step \( \leq 15^\circ \), can be considered to have at least four independent samples.
It's likely that asymmetry of the field probe will have a very small impact on this measurement uncertainty contributor, however, an upper bound to probe symmetry should be considered.

### A.11 Tx-power drift of DUT

A single point power reference measurement in the beginning and at the end of the measurement procedure is recommended to monitor the power drift of the DUT. Based on TX-power drift measurements for typical 3G UE, an uncertainty of 0.2 dB shall be entered to uncertainty budget with a rectangular distribution. If the drift measurement indicates larger drift, the actual drift shall be included to uncertainty.

In order to minimize Tx-power drift error it's recommended to interleave sensitivity and power measurement of multiple channels. This spreads the measurements over a longer period, which helps to average the drift of the TX-power.

Typical TX-power drifts of 3G UE, measured in a single angular point, DUT placed against phantom head are shown in Figure 5.

![Figure A.5. Output power variation of typical 3G UE during battery life.](image)

### A.12 Uncertainty related to the use of SAM phantom

#### A.12.1 Uncertainty from using different types of SAM phantom

This uncertainty contribution originates from the fact that different laboratories may use the two different versions of SAM head: the SAM head phantom or the SAM phantom including the head and the shoulders. Based on the conclusions made in [18] [14] [25] [58], the standard SAM head is the specified phantom. However, the use of the other type of SAM is also allowed with the requirement that the resulting uncertainty contribution is taken into account in the uncertainty budget [48], [49].

#### A.12.2 Simulated tissue liquid uncertainty

This uncertainty will occur, if the laboratory uses a liquid which has dielectric parameters deviating more than ±15% of the target parameters given in chapter 5.1.
A.13 Coarse sampling grid

Degreasing of sampling density to finite amount of samples affects the measurement uncertainty by two different errors. First is due to inadequate number of samples and second is a systematic discrimination approximation error in TRP and TRS equations.

Figure A.6 shows simulated sampling grid errors for typical 3G UE. Approximation error is not included. Simulations are based on thin plate surface interpolation of real radiation patterns, measured beside a phantom head.

\[
\text{Offset} = 10 \cdot \log_{10} \left( \frac{\pi}{2N} \sum_{n=1}^{N} \sin(\theta_n) \right).
\]

where

- \( N \) is number of angular intervals in elevation,
- \( \theta_n \) is elevation.
The 10° or 15° sampling grid used in TRP measurements has been shown to introduce only very small differences as compared to the results obtained with denser grids, so with that sampling grid the uncertainty contribution can assumed negligible [36].

When using sample step size of 15° - 30°, standard uncertainty of 0.15dB can be assumed to cover errors. If step size >30° is used, larger uncertainty should be considered.

Note: the simulation results presented here are not usable for irregular sampling grids or in the case of MEG/MERS.

A.14 Random uncertainty

The random uncertainty characterizes the undefined and miscellaneous effects which cannot be forecasted. One can estimate this type of uncertainty with a repeatability test by making a series of repeated measurement with a reference DUT without changing anything in the measurement set-up.

The random uncertainty differs from one laboratory to another. Moreover, each DUT has its own electromagnetic behaviour and random uncertainty. Some uncertainty also occurs from the positioning of the DUT against the phantom, as the DUT cannot be attached exactly in the same way every time. This uncertainty depends on how much the DUT’s position against the SAM phantom varies from the specified “cheek” position. It is noted that the uncertainty of the phone positioning depends on the phone holder and the measurement operator and is in fact difficult to distinguish from random uncertainty. Therefore, the positioning uncertainty is included in random uncertainty. A study on the influence of misalignment errors to the measurement uncertainty has been presented in [72].

To estimate this uncertainty, it is suggested to perform at least five evaluations of TRP/TRS for the cheek right position whereby the device shall be dismounted and newly positioned with a fully charged battery before each tests. This measurement set has to be carried out in mid channel of each frequency band, for at least three phones with different type of mechanical design. The values have to be normalized by the mean for each measurement set. As a result the uncertainty contribution entered to uncertainty budget is the difference between the maximum and minimum normalized value.

A.15 Uncertainty of network analyzer

This uncertainty includes the all uncertainties involved in the S21 measurement with a network analyzer, and will be calculated from the manufacturer's data in logs with a rectangular distribution, unless otherwise informed, (see clause 5.1.2 in [56]).
A.16 Uncertainty of the gain/efficiency of the calibration antenna

The calibration antenna only appears in Stage 2. Therefore, the gain/efficiency uncertainty has to be taken into account.

This uncertainty will be calculated from the manufacturer's data in logs with a rectangular distribution, unless otherwise informed (see clause 5.1.2 in [56]).

If the manufacturer's data do not give the information, the value has to be checked, see annex A-12 in [57].

A.17 Base station simulator: uncertainty of the absolute level

The transmitter device (typically a BS Simulator) is used to drive a signal to the horn antenna in sensitivity tests either as an absolute level or as a relative level. Receiving device used is typically a UE/MS. Generally there occurs uncertainty contribution from limited absolute level accuracy and non-linearity of the BS Simulator.

For practical reasons, the calibration measurement (Stage 2) should be only performed with the probe antenna as a receiver. Hence, the uncertainty on the absolute level of the transmitter device cannot be assumed as systematic. This uncertainty should be calculated from the manufacturer's data in logs with a rectangular distribution, unless otherwise informed (see clause 5.1.2 in [56]). Furthermore, the uncertainty of the non-linearity of the device is included in the absolute level uncertainty.

A.18 BER measurement: output level step resolution

When output power of the BS simulator is swept to reach the BER target, used power step resolution creates this uncertainty. Output power step used in the BER measurement is divided by factor 2 to obtain the uncertainty with rectangular distribution.

A.19 Statistical uncertainty of the BER measurement

To study statistical uncertainty of BER measurement, see ETSI document TR 100 028-1, section 6.6 [55]. For a BER target of 1%±0.2% using 20000 bits, uncertainty of 0.19 dB for a single measurement can be used. Using a BER target of 10%±2% with 20000 tested bits will lead to uncertainty of 0.46 dB/single measurement.

For a full TRS measurement with a regular sampling grid, the statistical uncertainty can be approximated by using the following formula:

\[
U_{fullTRS} = \frac{U_{SingleTRS}}{\sqrt{N/4}},
\]

Where

\(U_{SingleTRS}\) is the statistical uncertainty of single measurement,

\(N\) is the number of measurements.
A.20 BER data rate normalization uncertainty

This uncertainty occurs only when a higher data rate than 12.2 kbps is used to speed up TRS measurement. It can be calculated using the following formula:

\[
U_{\text{norm}} = \sqrt{\left(\frac{U_{\text{SingleTRS ref}}}{2}\right)^2 + \left(\frac{U_{\text{SingleTRS fast}}}{2}\right)^2} \sqrt{N_{\text{ref}}}
\]

Where

- \(U_{\text{SingleTRS ref}}\) is the statistical uncertainty of the used reference measurement,
- \(U_{\text{SingleTRS fast}}\) is the statistical uncertainty of the higher data rate measurement,
- \(N_{\text{ref}}\) is the number of measured reference points.

A.21 DUT sensitivity drift

Due to statistical uncertainty of BER measurement, drift in the TRS cannot be monitored similarly to TRP. An uncertainty value of 0.2 dB can be used, or the TRS drift should be measured, with a setup corresponding to the actual TRS measurement.

A.22 Cable loss measurement uncertainty

Before performing the calibration, cable losses have to be measured. This measurement includes a standard uncertainty, which is composed of the mismatch, and the insertion loss uncertainties. In the calibration measurement, the transmitter part is composed with the calibration antenna, cables, and signal generator. The receiver part is composed with the probe antenna, cables, and measurement device.

The cable loss of the transmitter and receiver parts should be measured separately. By this way, the cable losses will be compliant with the cable routing of the calibration stage. On the opposite, if the cable losses were measured together at the same time, the measured values would include errors from miscellaneous mismatch contributions, which do not appear in the cable routing of the calibration stage.

The cable loss measurement uncertainty is the result of the RSS of the uncertainty contributions listed in Table A.4.

<table>
<thead>
<tr>
<th>Description of uncertainty contribution</th>
<th>Standard Uncertainty (dB)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mismatch uncertainty of cable(s) receiver part</td>
<td></td>
</tr>
<tr>
<td>Insertion loss of the cable(s) receiver part</td>
<td></td>
</tr>
<tr>
<td>Measurement device: absolute level uncertainty</td>
<td></td>
</tr>
<tr>
<td>Measurement device: linearity</td>
<td></td>
</tr>
<tr>
<td>Mismatch uncertainty of cable(s) transmitter part</td>
<td></td>
</tr>
<tr>
<td>Insertion loss of the cable(s) transmitter part</td>
<td></td>
</tr>
<tr>
<td>Signal generator: absolute output level uncertainty</td>
<td></td>
</tr>
<tr>
<td>Signal generator: output level stability uncertainty</td>
<td></td>
</tr>
<tr>
<td>Cable loss measurement uncertainty (RSS)</td>
<td></td>
</tr>
</tbody>
</table>
A.23 Signal generator: uncertainty of the absolute output level

The signal generator is only used at this stage. It substitutes the DUT by feeding the calibration antenna with a known power level. The use of this signal generator introduces an uncertainty on the absolute output level.

This uncertainty will be calculated from the manufacturer's data in logs with a rectangular distribution (see clause 5.1.2 in [56]).

A.24 Signal generator: output level stability

The uncertainty on the output level stability has to be taken into account only when the uncertainty of the absolute level is not considered.

This uncertainty will be calculated from the manufacturer's data in logs with a rectangular distribution (see clause 5.1.2 in [56]).

A.25 Insertion loss: calibration antenna feed cable

The feed cable of the calibration antenna only appears in Stage 2. As a result, this uncertainty has to be taken into account.

This uncertainty will be measured or calculated from the manufacturer's data in logs with a rectangular distribution (see clause 5.1.2 in [56]).

A.26 Insertion loss: calibration antenna attenuator (if used)

If a calibration antenna attenuator is used, it only appears in Stage 2. As a result, this uncertainty has to be taken into account.

This uncertainty will be calculated from the manufacturer's data in logs with a rectangular distribution (see clause 5.1.2 in [56]).
Table A.5. Example of uncertainty budget for TRP measurement.

<table>
<thead>
<tr>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>STAGE 1 (DUT measurement)</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>1) Mismatch of receiver chain</td>
<td>$\Gamma_{\text{power meter}}&lt;0.05$</td>
<td>0.05</td>
<td>N</td>
<td>1</td>
<td>1</td>
<td>0.05</td>
<td></td>
</tr>
<tr>
<td>2) Insertion loss of receiver chain</td>
<td>Systematic with Stage 2 (=&gt; cancels)</td>
<td>0</td>
<td>R</td>
<td>$\sqrt{2}$</td>
<td>1</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>3) Influence of the probe antenna cable</td>
<td>Systematic with Stage 2 (=&gt; cancels)</td>
<td>0</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>4) Absolute antenna gain of the probe antenna</td>
<td>Systematic with Stage 2 (=&gt; cancels)</td>
<td>0</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>5) Measurement Receiver: uncertainty of the absolute level</td>
<td>Power Meter</td>
<td>0.06</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0.03</td>
<td></td>
</tr>
<tr>
<td>6) Measurement distance</td>
<td>a) Offset of DUT phase center</td>
<td>$\Delta d=0.05m$</td>
<td>0.14</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0.08</td>
</tr>
<tr>
<td>7) Quality of quiet zone</td>
<td>Standard deviation of E-field in QZ measurement</td>
<td>0.5</td>
<td>N</td>
<td>1</td>
<td>1</td>
<td>0.5</td>
<td></td>
</tr>
<tr>
<td>8) DUT Tx-power drift</td>
<td>Drift</td>
<td>0.2</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0.12</td>
<td></td>
</tr>
<tr>
<td>9) Uncertainty related to the use of SAM phantom:</td>
<td>Standard SAM head with standard tissue simulant</td>
<td>0</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>10) Coarse sampling grid</td>
<td>Negligible, used $\Delta_\phi = 15^\circ$ and $\Delta_\theta = 15^\circ$.</td>
<td>0</td>
<td>N</td>
<td>1</td>
<td>1</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>11) Repeatability</td>
<td>Monoblock, clamshell and slide design used for testing</td>
<td>0.4</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0.23</td>
<td></td>
</tr>
<tr>
<td><strong>STAGE 2 (Calibration)</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>12) Uncertainty of network analyzer</td>
<td>Manufacturer's uncertainty calculator, covers whole NA setup</td>
<td>0.5</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0.29</td>
<td></td>
</tr>
<tr>
<td>13) Mismatch of receiver chain</td>
<td>Taken in to account in NA setup uncertainty</td>
<td>0</td>
<td>U</td>
<td>$\sqrt{2}$</td>
<td>1</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>14) Insertion loss of receiver chain</td>
<td>Systematic with Stage 1 (=&gt; cancels)</td>
<td>0</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>15) Mismatch in the connection of calibration antenna</td>
<td>Taken in to account in NA setup uncertainty</td>
<td>0</td>
<td>U</td>
<td>$\sqrt{2}$</td>
<td>1</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>16) Influence of the feed cable of the calibration antenna</td>
<td>Gain calibration with a dipole</td>
<td>0.3</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0.17</td>
<td></td>
</tr>
<tr>
<td>17) Influence of the probe antenna cable</td>
<td>Systematic with Stage 1 (=&gt; cancels)</td>
<td>0</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>18) Uncertainty of the absolute gain of the probe antenna</td>
<td>Systematic with Stage 1 (=&gt; cancels)</td>
<td>0</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>19) Uncertainty of the absolute gain of the calibration antenna</td>
<td>Calibration certificate</td>
<td>0.5</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0.29</td>
<td></td>
</tr>
<tr>
<td>20) Measurement distance: Calibration antenna's displacement and misalignment</td>
<td>d=3m, $\Delta d=0.05m$, $\theta=2^\circ$</td>
<td>0.29</td>
<td>R</td>
<td>$\sqrt{3}$</td>
<td>1</td>
<td>0.17</td>
<td></td>
</tr>
<tr>
<td>21) Quality of quiet zone</td>
<td>Standard deviation of e-field in QZ measurement, Gain calibration</td>
<td>0.5</td>
<td>N</td>
<td>1</td>
<td>1</td>
<td>0.5</td>
<td></td>
</tr>
<tr>
<td>Combined standard uncertainty</td>
<td>$u_c = \sqrt{\sum_{i=1}^{m} c_i^2 \cdot u_i^2}$</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td>0.89</td>
<td></td>
</tr>
<tr>
<td>Expanded uncertainty (Confidence interval of 95 %)</td>
<td></td>
<td>$u_e = 1.96 \cdot u_c$</td>
<td></td>
<td></td>
<td></td>
<td>1.75</td>
<td></td>
</tr>
</tbody>
</table>
# Table A.6. Example of uncertainty budget for TRS measurement.

<table>
<thead>
<tr>
<th>Uncertainty Source</th>
<th>Comment</th>
<th>Uncertainty Value [dB]</th>
<th>Prob Distr</th>
<th>Div</th>
<th>cl</th>
<th>Standard Uncertainty [dB]</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>STAGE 1 (DUT measurement)</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>1) Mismatch of transmitter chain</td>
<td>( \Gamma_{\text{transmitter}} &lt; 0.13 )</td>
<td>0.02</td>
<td>N</td>
<td>1</td>
<td>1</td>
<td>0.02</td>
</tr>
<tr>
<td>2) Insertion loss of transmitter chain</td>
<td>( \Gamma_{\text{transmission}} &lt; 0.03 )</td>
<td>0</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0</td>
</tr>
<tr>
<td>3) Influence of the probe antenna cable</td>
<td>Systematic with Stage 1 ( (=) cancels)</td>
<td>0</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0</td>
</tr>
<tr>
<td>4) Absolute antenna gain of the probe antenna</td>
<td>Systematic with Stage 2 ( (=) cancels)</td>
<td>0</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0</td>
</tr>
<tr>
<td>5) Base station simulator: uncertainty of the absolute level</td>
<td></td>
<td>1</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0.58</td>
</tr>
<tr>
<td>6) BER measurement: output level step resolution</td>
<td>Step 0.1dB</td>
<td>0.05</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0.03</td>
</tr>
<tr>
<td>7) Statistical uncertainty of the BER measurement</td>
<td>BER target 10%±2% , 20000 tested bits , N=60</td>
<td>0.12</td>
<td>N</td>
<td>1</td>
<td>1</td>
<td>0.12</td>
</tr>
<tr>
<td>8) TRS data rate normalization</td>
<td>4 reference points measured</td>
<td>0.12</td>
<td>N</td>
<td>1</td>
<td>1</td>
<td>0.12</td>
</tr>
<tr>
<td>9) Measurement distance a) Offset of DUT phase center</td>
<td>( \Delta d=0.05m )</td>
<td>0.14</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0.08</td>
</tr>
<tr>
<td>10) Quality of quiet zone</td>
<td>Standard deviation of E-field in QZ measurement</td>
<td>0.5</td>
<td>N</td>
<td>1</td>
<td>1</td>
<td>0.5</td>
</tr>
<tr>
<td>11) DUT sensitivity drift</td>
<td>Drift measurement</td>
<td>0.2</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0.12</td>
</tr>
<tr>
<td>12) Uncertainty related to the use of SAM phantom:</td>
<td>Standard SAM with standard tissue simulant</td>
<td>0</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0</td>
</tr>
<tr>
<td>13) Coarse sampling grid</td>
<td>( \Delta \varphi = 30^\circ ) and ( \Delta \varphi = 30^\circ ).</td>
<td>0.15</td>
<td>N</td>
<td>N</td>
<td>1</td>
<td>0.15</td>
</tr>
<tr>
<td>14) Repeatability</td>
<td>Monoblock, clamshell and slide design used for testing</td>
<td>0.5</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0.29</td>
</tr>
<tr>
<td><strong>STAGE 2 (Calibration)</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>15) Uncertainty of network analyzer</td>
<td>Manufacturer’s uncertainty calculator, covers NA setup</td>
<td>0.5</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0.29</td>
</tr>
<tr>
<td>16) Mismatch of transmitter chain</td>
<td>Taken in to account in NA setup uncertainty</td>
<td>0</td>
<td>U</td>
<td>( \sqrt{2} )</td>
<td>1</td>
<td>0</td>
</tr>
<tr>
<td>17) Insertion loss of transmitter chain</td>
<td>Systematic with Stage 1 ( (=) cancels)</td>
<td>0</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0</td>
</tr>
<tr>
<td>18) Mismatch in the connection of calibration antenna</td>
<td>Taken in to account in NA setup uncertainty</td>
<td>0</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0</td>
</tr>
<tr>
<td>19) Influence of the feed cable of the calibration antenna</td>
<td>Gain calibration with dipole</td>
<td>0.3</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0.17</td>
</tr>
<tr>
<td>20) Influence of the probe antenna cable</td>
<td>Systematic with Stage 1 ( (=) cancels)</td>
<td>0</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0</td>
</tr>
<tr>
<td>21) Uncertainty of the absolute gain of the probe antenna</td>
<td>Systematic with Stage 1 ( (=) cancels)</td>
<td>0</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0</td>
</tr>
<tr>
<td>22) Uncertainty of the absolute gain of the calibration antenna</td>
<td>Calibration certificate</td>
<td>0.5</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0.29</td>
</tr>
<tr>
<td>23) Measurement distance: Calibration antenna’s displacement and misalignment</td>
<td>( d=3m, \Delta d=0.05m, \theta=2^\circ )</td>
<td>0.29</td>
<td>R</td>
<td>( \sqrt{3} )</td>
<td>1</td>
<td>0.17</td>
</tr>
<tr>
<td>24) Quality of quiet zone</td>
<td>Standard deviation of E-field in QZ measurement</td>
<td>0.5</td>
<td>N</td>
<td>1</td>
<td>1</td>
<td>0.5</td>
</tr>
<tr>
<td>Combined standard uncertainty</td>
<td>( u_c = \sqrt{\sum u_i^2} )</td>
<td>1.1</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Expanded uncertainty (Confidence interval of 95 %)</td>
<td>( u_e = 1.96 \ u_c )</td>
<td>2.16</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>
Annex B (informative):  
Suggested recipes of liquid to be used inside SAM phantom 

In Tables B.1 – B.4 are proposed four different recipes of the liquid to be used inside the SAM phantom.

**Table B.1. Liquid recipe according to [71].**

<table>
<thead>
<tr>
<th>Component</th>
<th>Volume %</th>
</tr>
</thead>
<tbody>
<tr>
<td>Deionized Water</td>
<td>57.12</td>
</tr>
<tr>
<td>Tween 20</td>
<td>42.30</td>
</tr>
<tr>
<td>NaCl</td>
<td>0.58</td>
</tr>
</tbody>
</table>

**Table B.2. Liquid recipe according to [59].**

<table>
<thead>
<tr>
<th>Component</th>
<th>Volume %</th>
</tr>
</thead>
<tbody>
<tr>
<td>Water</td>
<td>45.3 %</td>
</tr>
<tr>
<td>Sucrose (Sugar)</td>
<td>54.3 %</td>
</tr>
<tr>
<td>Hydroxyethylcellulosis</td>
<td>0.3 %</td>
</tr>
<tr>
<td>Bactericide</td>
<td>0.1 %</td>
</tr>
</tbody>
</table>

**Table B.3. Liquid recipe according to [22].**

<table>
<thead>
<tr>
<th>Component</th>
<th>Mass %</th>
</tr>
</thead>
<tbody>
<tr>
<td>De-ionized Water</td>
<td>54.9 %</td>
</tr>
<tr>
<td>Diethylene Glycol Butyl Ether (DGBE) (&gt; 99 % pure)</td>
<td>44.92 %</td>
</tr>
<tr>
<td>NaCl</td>
<td>0.18 %</td>
</tr>
</tbody>
</table>

**Table B.4. Liquid recipe according to [23].**

<table>
<thead>
<tr>
<th>Component</th>
<th>Mass %</th>
</tr>
</thead>
<tbody>
<tr>
<td>De-ionized Water</td>
<td>55.36 %</td>
</tr>
<tr>
<td>Diethylene Glycol Butyl Ether (DGBE) (&gt; 99 % pure)</td>
<td>13.84 %</td>
</tr>
<tr>
<td>NaCl</td>
<td>0.35 %</td>
</tr>
</tbody>
</table>

(*) Polyethylene glycol mono [4-(1,1,3,3-tetramethylbutyl) phenyl ether]. This is available as Triton X-100. The quality of the Triton X-100 must be ultra pure to match the composition of salt.
Annex C (informative):
System Parameters

C.1 Definition and applicability

This test is aimed at measuring the output power radiated by a 3G UE/MS under the "speech mode" conditions, that is, the usual position for voice application when the handset is held close to the user head, without any hands-free kit.

Radio measurements are performed in the so-called open area mode in such as way to be as close as possible to the free space conditions.

C.2 Establishing the connection

In order to be as close as possible to the real conditions of use, it is necessary to establish the connection between the UE/MS under test and the Node-B simulator. It makes thus possible to set up the communication parameters to simulate a conversational link.

C.2.1 Required parameters to initiate the communication - basic concepts

C.2.1.1 Conversational RAB

In UMTS, services provided by the Radio Access Network (RAN) to the Core Network (CN) are called Radio Access Bearers (RAB). One RAB consists of one Radio Bearer (RB) plus one Iu Bearer.

RAB are classified into 4 different QoS classes: Conversational, Streaming, Interactive or Background. For speech services, conversational class shall be used.

C.2.1.2 Logical, transport, and physical channels in UMTS

The Radio Bearer service is provided through a layered architecture of channels (logical, transport and physical channels).

For speech services, the logical channel shall be a DTCH (Dedicated Traffic Channel), on a DCH (Dedicated Channel) as transport channel, on a DPCH (Dedicated Physical Channel) that consists of two physical channels named DPDCH (Dedicated Physical Data Channel) and DPCCH (Dedicated Physical Control Channel).

C.2.1.3 Dedicated physical channel

In the Uplink (UL), the DPDCH is transmitted on the I-path whereas the DPCCH is transmitted over the Q-path (QPSK modulation).

In the Downlink (DL), DPDCH and DPCCH are time multiplexed.

C.2.2 Recall on the reference measurement channel (reference to the standard paragraph)

To perform test measurements, a 12.2kbps Reference Measurement Channel is defined in the specification document [60], both for uplink and downlink.

This specific channel can be considered as a typical conversational one. Its organisation and features match the requirements previously described to establish a conversational link and are listed in the following tables:
C.2.3 Uplink 12.2 kbps reference measurement channel ([60], annex C, § C.2.1)

Table C.1 Dedicated Physical Channel parameters (DPCH = DPDCH + DPCCH)

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Level</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>Information bit rate</td>
<td>12.2</td>
<td>kbps</td>
</tr>
<tr>
<td>DPDCH</td>
<td>60</td>
<td>kbps</td>
</tr>
<tr>
<td>DPCCH</td>
<td>15</td>
<td>kbps</td>
</tr>
<tr>
<td>DPCCH Slot Format #i</td>
<td>0</td>
<td>-</td>
</tr>
<tr>
<td>DPCCH / DPDCH power ratio</td>
<td>-5.46</td>
<td>dB</td>
</tr>
<tr>
<td>TFCI</td>
<td>On</td>
<td>-</td>
</tr>
<tr>
<td>Repetition</td>
<td>23</td>
<td>%</td>
</tr>
</tbody>
</table>

Table C.2 Dedicated Transport Channel parameters (DTCH/DCH and DCCH/DCH)

<table>
<thead>
<tr>
<th>Parameter</th>
<th>DTCH</th>
<th>DCCH</th>
</tr>
</thead>
<tbody>
<tr>
<td>Transport Channel Number</td>
<td>1</td>
<td>2</td>
</tr>
<tr>
<td>Transport Block Size</td>
<td>244</td>
<td>100</td>
</tr>
<tr>
<td>Transport Block Set Size</td>
<td>244</td>
<td>100</td>
</tr>
<tr>
<td>Transmission Time Interval</td>
<td>20 ms</td>
<td>40 ms</td>
</tr>
<tr>
<td>Type of Error Protection</td>
<td>Convolution coding</td>
<td>Convolution coding</td>
</tr>
<tr>
<td>Coding Rate</td>
<td>1/3</td>
<td>1/3</td>
</tr>
<tr>
<td>Rate Matching attribute</td>
<td>256</td>
<td>256</td>
</tr>
<tr>
<td>Size of CRC</td>
<td>16</td>
<td>12</td>
</tr>
</tbody>
</table>

C.2.4 Downlink 12.2 kbps reference measurement channel ([60], annex C, § C.3.1)

Table C.3 Dedicated Physical Channel parameters (DPCH = DPDCH + DPCCH)

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Level</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>Information bit rate</td>
<td>12.2</td>
<td>kbps</td>
</tr>
<tr>
<td>DPCCH</td>
<td>30</td>
<td>kbps</td>
</tr>
<tr>
<td>Slot Format #i</td>
<td>11</td>
<td>-</td>
</tr>
<tr>
<td>TFCI</td>
<td>On</td>
<td>-</td>
</tr>
<tr>
<td>Power offsets PO1, PO2 and PO3</td>
<td>0</td>
<td>dB</td>
</tr>
<tr>
<td>DTX position</td>
<td>Fixed</td>
<td>-</td>
</tr>
</tbody>
</table>

Table C.4 Dedicated Transport Channel (DTCH/DCH and DCCH/DCH)

<table>
<thead>
<tr>
<th>Parameter</th>
<th>DTCH</th>
<th>DCCH</th>
</tr>
</thead>
<tbody>
<tr>
<td>Transport Channel Number</td>
<td>1</td>
<td>2</td>
</tr>
<tr>
<td>Transport Block Size</td>
<td>244</td>
<td>100</td>
</tr>
<tr>
<td>Transport Block Set Size</td>
<td>244</td>
<td>100</td>
</tr>
<tr>
<td>Transmission Time Interval</td>
<td>20 ms</td>
<td>40 ms</td>
</tr>
<tr>
<td>Type of Error Protection</td>
<td>Convolution coding</td>
<td>Convolution coding</td>
</tr>
<tr>
<td>Coding Rate</td>
<td>1/3</td>
<td>1/3</td>
</tr>
<tr>
<td>Rate Matching attribute</td>
<td>256</td>
<td>256</td>
</tr>
<tr>
<td>Size of CRC</td>
<td>16</td>
<td>12</td>
</tr>
<tr>
<td>Position of TrCH in radio frame</td>
<td>fixed</td>
<td>fixed</td>
</tr>
</tbody>
</table>
Annex D (informative):  
Radiated power and sensitivity measurement techniques in 2G systems

D.1 Introduction

D.1.1 Scope

This appendix presents technical details and examples on how to carry out the TRP (uplink) and TRS (downlink) measurements of the 2G terminals with a radio communication tester.

D.1.2 References

See References of the core of the pre-standard.

ETSI EN 300 910 V8.5.0 (2000-07) [61]
ETSI EN 300 607-1 V8.1.0 (2000-05) [62]

D.1.3 Definitions, symbols and abbreviations

D.1.3.1 Definitions

See Definitions of the core of the document.

D.1.3.2 Symbols

See Symbols of the core of the document.

D.1.3.3 Abbreviations

See Abbreviations of the core of the pre-standard.

<table>
<thead>
<tr>
<th>Abbreviation</th>
<th>Definition</th>
</tr>
</thead>
<tbody>
<tr>
<td>TCH</td>
<td>Traffic Channel</td>
</tr>
<tr>
<td>BCCH</td>
<td>Broad Cast Channel</td>
</tr>
<tr>
<td>TS</td>
<td>Time slot</td>
</tr>
<tr>
<td>TxLev</td>
<td>Tx Level</td>
</tr>
<tr>
<td>RxLev</td>
<td>Rx Level</td>
</tr>
<tr>
<td>BER</td>
<td>Bit Error Rate</td>
</tr>
<tr>
<td>Sensi</td>
<td>Sensitivity Measured at Maximum Position</td>
</tr>
</tbody>
</table>

D.2 Initial conditions

D.2.1 Phantom specifications

See 5.1 of the core of the pre-standard.
D.2.2 Anechoic chamber constraints

See 5.2 of the core of the pre-standard.

D.2.3 General arrangement

See 7.1 of the core of the pre-standard.

D.2.3.1 Free space

![Figure D.1](image)

D.2.3.2 With SAM head phantom

![Figure D.2](image)
D.2.3.3 Test-bed setup

---

**Figure D.3**

---

D.3 Measurement parameters

D.3.1 Definition of the TRP parameter

See 6.1 of the core of the pre-standard.

D.3.2 Definition of the MEG parameter

See 6.2 of the core of the pre-standard.

D.3.3 Definition of the MERP parameter

See 6.3 of the core of the pre-standard.

D.3.4 Definition of the TRS parameter

See 6.4 of the core of the pre-standard.

D.3.5 Definition of the MERS parameter

See 6.5 of the core of the pre-standard.

D.4 Sampling grid

See 6.6 of the core of the pre-standard.
D.5 Measurement frequencies

See 6.7 of the core of the pre-standard.

Table D.1

<table>
<thead>
<tr>
<th>Channels</th>
<th>AMPS</th>
<th>GSM</th>
<th>DCS</th>
<th>PCS</th>
</tr>
</thead>
<tbody>
<tr>
<td>1st</td>
<td>128</td>
<td>975</td>
<td>512</td>
<td>512</td>
</tr>
<tr>
<td>Central</td>
<td>190</td>
<td>37</td>
<td>698</td>
<td>661</td>
</tr>
<tr>
<td>Last</td>
<td>251</td>
<td>124</td>
<td>885</td>
<td>810</td>
</tr>
</tbody>
</table>

Table D.2

<table>
<thead>
<tr>
<th>Freq. (MHz)</th>
<th>AMPS</th>
<th>GSM</th>
<th>DCS</th>
<th>PCS</th>
</tr>
</thead>
<tbody>
<tr>
<td>Tx</td>
<td>842.2 to 848.8</td>
<td>880.2 to 914.8</td>
<td>1710.2 to 1784.8</td>
<td>1850.2 to 1909.8</td>
</tr>
<tr>
<td>Rx</td>
<td>869.2 to 893.8</td>
<td>925.2 to 959.8</td>
<td>1805.2 to 1879.8</td>
<td>1930.2 to 1989.8</td>
</tr>
</tbody>
</table>

The bandwidth allocated to each channel is 200 kHz.

D.6 Output power measurement

Measurements are carried out on the TCH and during the chosen TS. The communication synchronization is established thanks to the BCCH.

D.6.1 TRP

For each position, the average power of the TS (TxLev) is measured.

D.6.2 TRS

The sensitivity measurement is a time-consuming process: it is necessary to measure, step by step and for every position, the received RF level associated to a BER equal to 2.4 % following [61] and [62].

D.7 Measurement procedure – transmitter performance

D.7.1 Transmitter performance measurement

D.7.1.1 Spherical scanning ranges

See 7.1 of the core of the pre-standard.

D.7.2 Reference position

The MS is placed on the positioner mounted on a turntable (see Figure 7.1).

Then, the reference position ($\theta = \phi = 0^\circ$) has to be determined. As an example, in the great circle case, and for a standalone mobile, the handset is held in a horizontal position as shown in chapter 5.1 of the core of the pre-standard. The vertical axis goes through the base of the antenna. The mobile is rotated around its main axis ($\phi$ angle) step by step. For each $\phi$ step position, the $\theta$ angle is increased step by step.

For measurements with the SAM head phantom, the principle is exactly the same. The only differences concern the initial positioning of the mobile/SAM system. In fact, the SAM head is held in a horizontal position as shown in chapter
5.1 of the core of the pre-standard. The vertical axis goes through the base of SAM ear, and the MS is held in a normalized position: see Figure 2.1 of the core of the pre-standard.

D.7.3 General measurement arrangements

D.7.3.1 TRP

See 7.2 of the core of the pre-standard.

The communication is initialized so that the MS emits at maximum power level

<table>
<thead>
<tr>
<th>AMPS</th>
<th>GSM</th>
<th>DCS</th>
<th>PCS</th>
</tr>
</thead>
<tbody>
<tr>
<td>Maximum</td>
<td>5 (33 dBm +/- 2 dB)</td>
<td>5 (33 dBm +/- 2 dB)</td>
<td>0 (30 dBm +/- 2 dB)</td>
</tr>
<tr>
<td>Power Level configuration</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

An example of a method to obtain the TRP is to measure the 3-D TxLev pattern on the central channel of each bandwidth supported by the MS, and integrate it as explained in 6.1 of the core of the pre-standard. So as to check the transmitter performances of the MS over the whole considered bandwidth, it would be necessary to calculate the TRP on every channel. However such a measurement is highly time-consuming.

To reduce the duration of the test, referring to the 3-D pattern measured on the central channel, the MS can be put in the ($\theta$, $\phi$)-position giving the maximum power received at the probe antenna in the main polarization. In this position, the transmitted power can be measured on every channel, and a mean value over the bandwidth can be calculated. The difference (in dB) between the power averaged over all the channels and the value obtained on the central channel in the chosen position can be calculated. It gives a weighting coefficient to apply to the TRP value given by the 3-D measurement done on the central channel.

This final value gives a good single figure of merit of the radiated power performances of the MS over the whole bandwidth.

D.7.3.2 TRS

An example of a method to obtain the TRS is to measure the 3-D sensitivity pattern on the central channel of each bandwidth supported by the MS, and integrate it as explained in 6.2 of the core of the pre-standard. The sensitivity measurement over all angular positions is a highly time-consuming process.

To speed up the process, an example of a method to obtain the TRS is to use the RxLev parameter (MS estimation of the received power). The RxLev is a parameter which can be measured in parallel with the TxLev.

After having measured the TxLev and RxLev patterns, the MS is positioned in the ($\theta_0, \phi_0$)-position giving the maximum power received at the probe antenna in the main polarization. The sensitivity measurement in ($\theta_0, \phi_0$) gives a correlation between the Sensi and the RxLev. From this correlation, the sensitivity in every angular position and polarization can be deduced. The process to evaluate the 3-D sensitivity pattern is completely described in the following paragraphs.

a) Sensitivity measurement in the ($\theta_0, \phi_0$)-position

The BS simulator should configure the MS in Loop back mode [61] [62]. Then, the minimum received power is associated to a BER equal to 2.4\% (+/- 0.1\%) is determined. This power is called sensitivity (Sensi) at the chosen position. The sensitivity measurement has to be carried out on a sufficient number of speech frames, so as to obtain a steady and repeatable value. The experience shows that 300 frames is a sufficient number.

b) Deduction of the sensitivity in every position

Let $\Delta$ be defined such as:

$$\Delta = |\text{Sensi}(\theta_0, \phi_0)| - \text{RxLev}(\theta_0, \phi_0)$$

Then the Sensi in all other positions is deduced as follows:
Sensi(\(\theta, \phi\)) = RxLev(\(\theta, \phi\)) + \Delta

To avoid communication fall, the RxLev has to be measured at a quite high TCH level received by the MS (example – 60.5 dBm which corresponds to a RxLev equal to 50). Find hereunder the table of correspondence between the TCH and Rx levels:

<table>
<thead>
<tr>
<th>TCH level</th>
<th>RxLev</th>
</tr>
</thead>
<tbody>
<tr>
<td>-111 à -110 dBm</td>
<td>0</td>
</tr>
<tr>
<td>-110 à -109 dBm</td>
<td>1</td>
</tr>
<tr>
<td>-62 à -61 dBm</td>
<td>49</td>
</tr>
<tr>
<td>-61 à -60 dBm</td>
<td>50</td>
</tr>
</tbody>
</table>

Figure D.4

Note that, so as to check the receiver performances of the MS over the whole considered bandwidth, it would be necessary to calculate the TRS on every channel. However such a measurement is highly time-consuming.

To reduce the duration of such a test, referring to the 3-D pattern measured on the central channel, the MS can be put in the \((\theta_0, \phi_0)\)-position. In this position, the sensitivity can be measured on every channel, and a mean value over the bandwidth can be calculated. The difference (in dB) between the sensitivity averaged over all the channels, and the value obtained on the central channel in the \((\theta_0, \phi_0)\)-position can be calculated. It gives a weighting coefficient to apply to the TRS value given by the 3-D measurement done on the central channel.

This final value gives a good single figure of merit of the radiated sensitivity performances of the MS over the whole bandwidth.

D.7.4 Calibration measurement

See Section 8.3 of the core of the pre-standard.

D.8 Measurement uncertainty and corrections in 2G system measurements

See Annex A.
Annex E (informative):
Alternative measurement technologies: reverberation chamber method

E.1 Reverberation chamber constraints

This section defines basic parameters of reverberation chambers for measurements of the radio performance of a 3G UE/MS.

The reverberation chambers [63] have for a couple of decades been used for some types of EMC measurements. A reverberation chamber is a metal cavity that is sufficiently large to support many resonant modes, and it is provided with means to stir the modes. The classical radiation efficiency characterizes the antenna performance in a uniform and isotropic multipath environment, and it is shown in [11] that this fastest and accurately can be measured in a small reverberation chamber, such as the one shown in Figure E.1.

The reverberation chamber provides a simulated multipath environment with the same Rayleigh field statistics as actual multipath environments [16]. The environment is isotropic with a uniform elevation and azimuth distribution [64] and polarization imbalance, which could prevail in the reverberation chamber, can be removed [13]. This makes it a well-defined and repeatable environment for TRP testing of mobile terminals.

In addition to the TRP testing of UE, the reverberation chamber can be used to measure the BER [65] and thereby also the TRS. In addition, it has been demonstrated that it can be used to measure the average fading sensitivity (AVF) [66], corresponding to performance in an environment that fades with a certain speed, as obtained by continuous mode stirring in the chamber by moving the plate stirrers with certain speed.

Reverberation chambers can also be used for direct test of diversity antennas in multipath environment [67][68]. The effective, apparent or actual diversity gains can be determined directly from the statistical distribution of the received signal amplitudes [69]. It is also possible to test the complete active UE with its implemented diversity algorithm, as demonstrated for a DECT phone in [70]. The measurements in the reverberation chamber are in comparison fast, and repeatable even in other reverberation chambers of equal or larger size, provided the chambers have efficient stirring methods. Also, the measurements in many such reverberation chambers can be done by using only one single channel receiver, because we can repeat exactly the same environment in the chamber as many times as we like, and therefore we do not need to simultaneously measure the two channels and the single isolated antenna reference. In a real environment we need in comparison three measurement receivers to do diversity measurements, one for each branch and one for the reference, or a fast switch to select the three signals one after the other. These advantages are even bigger when measuring MIMO systems, because the MIMO antenna has many ports at which the signals have to be measured simultaneously, or otherwise under the same conditions. In the following, we will only describe how the chamber can be used for measurements of TRP.

E.1.1 Chamber size

The reverberation chamber shall have a volume large enough to support the number of modes needed for the stated accuracy. If platform stirring is implemented the reverberation chamber can have an inner volume as small as a minimum of 1.25 m³, but must be larger than 8 m³ if there is no such stirring facility [11]. To obtain an expanded uncertainty (2σ) in the result of less than 1 dB, it is necessary in the smallest chamber to perform frequency stirring of 25 MHz [12]. This will reduce the resolution of the results correspondingly. For antenna measurements, it is possible by appropriate signal processing to improve frequency resolution to better than the 25 MHz from the frequency stirring. If the chamber is larger than about 5 m³, frequency stirring is not necessary, so that full frequency resolution can be obtained.

E.1.2 Mode-stirring facilities

The reverberation chamber shall be equipped with mode-stirring in such a way that enough number of independent power samples can be achieved for the accuracy requirement stated in this standard to be fulfilled. Possible mode-stirring methods include platform stirring [11], polarization stirring [13], and mechanical stirring with fan-type stirrers,
irregular shaped rotational stirrers, or plate-type stirrers. Also frequency stirring is possible if the type of measurement allows for a frequency-averaged value, but this is not necessary if the chamber is sufficiently large as mentioned above.

Figure E.1: Illustration of reverberation chamber, showing a setup for measuring a six-element monopole circular MIMO array.

The chamber is equipped with two mechanical plate-shaped stirrers. The six-element monopole array and the reference dipole are located on a platform and rotated inside the chamber (platform stirring) [11]. Three fixed wall antennas are used for polarization stirring [13]. The drawing also shows a head phantom inside the chamber.

E.1.3 Loading of chamber with lossy objects

The reverberation chamber should not be loaded to such an extent that the mode statistics in the chamber is destroyed. It is important to keep the same amount of lossy objects in the chamber during calibration measurement and test measurement, in order not to change the average power transfer function between these two cases.

E.1.4 Polarization imbalance and receiving antennas

It is important that the statistical distribution of waves in the chamber corresponds to the chosen test environment. Present knowledge about reverberation chambers limits this to isotropic environments, i.e. the TRP and TRS parameters can be measured. Since the probability of each polarization is equal in the isotropic environment, a check of the polarization imbalance in the reverberation chamber must be done.

The polarization imbalance can be obtained during the calibration measurement by measuring both when the calibration antenna is oriented for vertical polarization and when it is oriented for horizontal polarization. These two values shall differ by less than the specification in Table E.1. In order to obtain values for comparison with the results in the table, the reference levels shall be measured for both orientations of the calibration dipole at 8 different positions of the dipole inside the chamber. The average, standard deviation and maximum deviation shall be evaluated by comparing results for both polarizations over the whole set of 8 measurements. Alternatively, the levels for the two polarizations of the calibration antenna at 1 MHz intervals between 1900 MHz and 2200 MHz can be measured, and thereafter the average, standard deviation and maximum of the difference between the two sets of values over these frequency ranges are calculated.

An effective way of avoiding polarization imbalance is to use polarization stirring, i.e. using three orthogonal linearly polarized receiving antennas. These three receiving antennas may be monopoles connected orthogonally to three different and orthogonal walls (including ceiling/floor) of the chamber. The three antennas are below referred to as the three fixed wall mounted antennas.
Table E.1 Specifications of differences of measured reference levels in each frequency band between using vertically and horizontally polarized calibration dipoles.

<table>
<thead>
<tr>
<th></th>
<th>Maximum tolerable value</th>
</tr>
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<tbody>
<tr>
<td>Average</td>
<td>0.2 dB</td>
</tr>
<tr>
<td>Standard deviation</td>
<td>0.5 dB</td>
</tr>
<tr>
<td>Maximum</td>
<td>1.0 dB</td>
</tr>
</tbody>
</table>

E.1.5 Shielding effectiveness

The shielding effectiveness of the chamber shall be as large as needed for the interference from other sources not to influence the measured parameters. This means that the requirements of the shielding is specific to each test site and may vary accordingly.

E.2 Reverberation chamber method

The measurement of transmitter performance in the reverberation chamber is based on sampling the radiated power of the UE/MS for a discrete number of field combinations in the chamber. The average value of these statistically distributed samples is proportional to the Total Radiated Power (TRP), and by calibrating the average power transfer function in the chamber, an absolute value of the TRP can be obtained.

Make the setup in the chamber by locating the head phantom and the UE/MS in one of the specified positions inside the chamber. The objects placed inside the chamber should be the same as in the calibration measurement.

Measure and save pulse power levels for all the positions of the platform stirrer and mechanical stirrer and for all the frequency points used. Do this for each of the fixed measurement antennas. Average the saved pulse power levels over all stirrer positions. Note that all averaging must be done on power values. The result of the averaging of the power samples originating from antenna A is $P_A$. Repeat this for fixed measurement antennas B and C to get $P_B$ and $P_C$. The TRP in W of the phone is then obtained by

$$P_{TRP} = \frac{P_A}{C_A (1 - R_A)} + \frac{P_B}{C_B (1 - R_B)} + \frac{P_C}{C_C (1 - R_C)} \left(P_{ref,A} + P_{ref,B} + P_{ref,C}\right)$$

(E.1)

where $C_A$, $R_A$, and $P_{ref,x}$ for each antenna A, B and C is defined in section E.3 (Calibration of reverberation chamber).

E.3 Calibration of reverberation chamber

This section treats the necessary calibration of the reverberation chamber in order to get absolute values for the measured parameters.

The purpose of the calibration measurement is to determine the average power transfer function in the chamber, mismatch of fixed measurement antennas and path losses in cables connecting the power sampling instrument and the fixed measurement antennas. Preferably a network analyzer is used for these measurements. Recommended calibration antennas are dipoles tuned to the frequency band of interest.

Make the setup in the chamber by locating the head phantom and the calibration dipole inside the chamber. Use a phantom that is filled with the correct liquid for the band to be measured, see Section 5 and Appendix B. Exactly the same material must be present inside the chamber when the phones are measured as when the calibration measurement is performed.

Position the calibration dipole inside the chamber in such a way that all its parts are not closer to any wall, ceiling or floor than 0.5 times the measurement wavelength and at least 0.7 wavelengths away from the phantom. The phone shall be located outside the chamber, but the phone holder must be located inside the chamber.

Connect the network analyzer and perform a full two-port calibration so that the transmission between the calibration dipole and fixed measurement antenna A can be measured. Measure the S-parameters for all the chosen positions of the
mechanical stirrer and the platform stirrer (if used), and over the whole frequency band of interest plus an appropriate amount on each side if frequency stirring will be used in the data processing. Spacing between the frequency points shall be 1 MHz.

The measured reflection coefficient $S_{11}$ has two additive contributions: One due to the reflection from the antenna port itself (deterministic) and the other due to the chamber (statistic). The same applies to $S_{22}$. Therefore, calculate the averages of the complex values of $S_{11}$ and $S_{22}$, and average them further over a 5 MHz bandwidth. The remaining parts are the free space reflection coefficients of the fixed receiving antenna A and the calibration dipole, respectively.

Denote by $R_A$ the reflection coefficient of the fixed measurement antenna A, so that

$$R_A = \frac{1}{N} \sum_{i=1}^{N} S_{11,A}^i = \left| \frac{1}{S_{11,A}} \right|^2$$

(E.2)

where $N$ denotes the total number of power samples achieved for the different positions of the mechanical stirrers and the platform stirrer, and the summation is over these samples.

Take the measured $S_{21}$-values for all the stirrer positions $N$ and calculate the reference power transfer function of the chamber when using antenna A

$$P_{\text{ref},A} = \frac{1}{N} \sum_{i=1}^{N} \left( \frac{|S_{21,A}^i|^2}{(1-R_A) \left( 1-\left| S_{22} \right|^2 \right)} \right) \frac{1}{\epsilon_{\text{ref}}}$$

(E.3)

where $\overline{S_{22}}$ is the complex average of the $S_{22}$-samples and $\epsilon_{\text{ref}}$ is the efficiency (internal losses) of the reference dipole antenna. For frequency stirring, include the power samples within a frequency band centered around the measurement frequency in the summation above. A frequency stirring bandwidth of 25 MHz is recommended for calculation of the reference power transfer function.

Repeat the above for the other fixed antennas B and C to obtain $R_B$, $P_{\text{ref},B}$ and $R_C$, $P_{\text{ref},C}$, respectively.

Measure with the network analyzer also the path losses in the cables connecting the power sampling equipment (used in the test case measurement) to each of the three fixed measurement antennas A, B and C. Denote the obtained transmission parameters $C_A$, $C_B$ and $C_C$, respectively. Note that these coefficients are always smaller than 1.

The measurement uncertainty is discussed in detail in [12].
Annex F (informative):
Anechoic chamber specifications and validation method

This Annex presents the specifications for the shielded anechoic chamber and the validation methods.

F.1 Shielded anechoic chamber specifications

Before measuring the test site characteristics in the presence of the antenna positioning system, the shielding effectiveness of the enclosure and the quiet zone level must be measured.

To avoid environmental perturbations the measurements must be performed in a shielded enclosure, preserved from electromagnetic disturbances coming from electromagnetic environment (Radio and TV broadcast, cellular, ISM equipment, etc…). The shielding effectiveness recommended to be tested according to the EN 50 147-1 standard in the frequency range of 800 MHz up to 4 GHz.

The recommended level of the shielding effectiveness is -100 dB from 800 MHz to 4 GHz.

Testing of the shielding effectiveness can be performed either before or after the installation of absorbers.

F.2 Quiet Zone reflectivity level validation

The performance of anechoic chamber is typically evaluated from reflectivity level $R_{\text{level}}$ in the quiet zone. Reflection level is defined as power ratio of all summed reflected signals $P_r$ to direct signal $P_d$ from antenna:

$$R_{\text{level}} = 10 \log \frac{P_r}{P_d}.$$  \hspace{1cm} (1)

To evaluate the quiet zone reflectivity level, the contribution of absorbing materials, the antenna positioning system and other constructions in the anechoic chamber should be measured. Two most common methods for measuring the reflectivity level of the quiet zone are Free Space VSWR Method and the Time Domain Method. Traditionally these measurements have been accomplished by using high gain horn antennas. Studies have shown that using horn antenna can give about 14 dB lower reflectivity levels compared to use of dipole antenna [72]. However, the methods that utilize highly directive antennas are powerful in identifying the direction of the offending reflections.

To measure accurately quality of the quite zone in anechoic chamber one must use an omni-directional antenna. Near omni-directional three axes field-probes are available with fibre optic connection thus minimizing cable effects. Because sensitivity of field probe is limited one must carefully check that the field probe is operated at least 6dB above the noise floor of the probe.

Note: The quiet zone evaluation should be performed with the antenna positioning system in its place, in order to include its effect on the reflectivity level.

F.2.1 Description of a practical method for Quiet Zone characterization

In the following, a practical version of the Free Space VSWR method is presented [73].

In the Free Space VSWR method the quality of quiet zone is measured from amplitude ripple caused by reflections inside the anechoic chamber. Phase variation of the direct signal and the reflected signals is obtained by moving a field-probe in the quiet zone. Amplitude ripple in the quiet zone is caused by this phase variation of reflected signals and the direct signal from antenna. The figure F.1 below shows seven measuring positions.
In each of the seven-measurement position amplitude of power received by field-probe \( P_{\text{meas},n} \) [dBm] is measured where \( n \) is index of measuring position. Variance of measurement distance to the antenna from field-probe in different measurement positions can be compensated by following equation:

\[
P_n = P_{\text{meas},n} + 20 \log\left(\frac{d_n}{l}\right) \quad \text{where,} \tag{2}
\]

\( d_n \) is distance to point \( n \) from the antenna,
\( l \) is distance to centre of quiet zone from the antenna
\( P_{\text{meas},n} \) is uncorrected measurement value from point \( n \).

The sample standard deviation of the electric field in the quiet zone can be calculated from these distance corrected values or directly from the measured values with the following equation:

\[
s = \sqrt{\frac{1}{N-1} \sum_{i=1}^{N} (P_i - \overline{P})^2} \quad \text{where,} \tag{3}
\]

\( N \) is number of measurements positions
\( \overline{P} \) is dB average of all \( P_n \)
\( P_i \) is \( P_n \) or \( P_{\text{meas},n} \)

**Standard deviation of electric field**

To obtain more accurate picture of quality of quiet zone, measurement described in previous chapter can be done from multiple directions and polarizations. Doing free space VSWR measurement from different directions in 15-degree separation for elevation and azimuth we get 264 standard deviation values in both polarizations \( s_{\theta,\Phi,\text{pol}} \). From these values average sample standard deviation in electric field in quiet zone can be calculated from equation:

\[
S_{\text{freq}} = \frac{\pi}{2LJ} \sum_{j=1}^{J} \sum_{j=1}^{I} S_{i,j,\text{hor}} \sin(\Theta_j) + \frac{\pi}{2LJ} \sum_{j=1}^{J} \sum_{j=1}^{I} S_{i,j,\text{ver}} \sin(\Theta_j) \tag{4}
\]

Where
\( L \) is number of angular intervals in elevation,
$J$ is number of angular intervals in azimuth and 

$\Theta_j$ is elevation of measurement $s_{(i,j,pol)}$.

This quiet zone quality measurement should be done at all the frequencies used in measurements.
Annex G (informative):
Change history

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